Canst Thou Beggar Thy Neighbour?
Evidence from the 1930s

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Abstract

Does an exchange rate depreciation depress trading partners’ output? I address this question through the lens of a classic episode: the currency devaluations of the 1930s. From 1931 to 1936, many of the biggest economies in the world successively left the gold standard or devalued, leading to a depreciation of their currency by more than 30% against gold. In theory, the effect is ambiguous for countries that did not devalue: expenditure switching can lower their output, but the monetary stimulus to demand might raise it. I use cross-sectional evidence to discipline the strength of these two mechanisms in a multi-country model. This evidence comes in two forms: (i) causal inference of the effect of devaluation on country-level variables, (ii) new product-level data to estimate parameters that are essential to discipline the response of trade — the international elasticity of substitution among foreign varieties, and the pass-through of the exchange rate to international prices. Contrary to the popular narrative in modern policy debates, devaluation did not dramatically lower the output of trading partners in this context. The expenditure switching effect was mostly offset by the monetary stimulus to foreign demand.

Keywords: beggar-thy-neighbour, devaluations, Great Depression, trade elasticities

JEL codes: E5, F3, F4

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1 Introduction

“Beggar thy neighbour, zero-sum game, currency war”: currency depreciation gets a bad rap. In theory, exchange rate depreciation can cause a contraction in foreign output: if prices or costs are sticky in the producer’s currency, a depreciation cheapens domestic goods on international markets, which shifts demand towards those goods, possibly lowering output in foreign countries. This mechanism is at play in prominent international macroeconomic models since at least Fleming (1962) and Mundell (1963). In policy circles, recriminations fly when a country engages in a monetary expansion that leads to a depreciation of the currency. In 2010, Guido Mantega, then Brazil’s finance minister, famously equated the Federal Reserve’s quantitative easing (QE) to monetary warfare.\footnote{“We’re in the midst of an international currency war, a general weakening of currency.” See Jonathan Wheatley, “Brazil in ‘currency war’ alert,” Financial Times, September 27, 2010, \url{https://www.ft.com/content/33ff9624-ca48-11df-a860-00144feab49a}.} Such claims resurfaced when the European Central Bank took the QE route in 2015.\footnote{David Keohane, “All currency war, all the time”, Financial Times, February 5, 2015, \url{https://www.ft.com/content/c259d418-d0ca-37d5-a3bd-27748fc1024e}.}

Are these concerns justified? My answer is no: a devaluation has a small effect on foreign output. It is, however, a big stimulus for domestic output. To reach that conclusion, I follow a micro to macro approach: I identify empirical moments in cross-country and new product-level trade data, use these moments to estimate a model, and run counter-factual experiments. To implement this approach, I focus on a specific historical episode: the currency devaluations of the 1930s.

The 1930s currency devaluations are an attractive setting for several reasons. First, they are a classic example of what are generally thought to be competitive devaluations. Second, it is a sequence of large events: many countries, including the biggest economies in the world, devalued their currencies by 30 to 40% against gold. Last but not least, the staggered way in which these countries devalued is ideal for identification. This staggered feature is apparent on figure 1, which shows the nominal price of gold in selected currencies. Until 1931, the countries on the chart were on the gold-exchange standard: the price of gold — hence the exchange rate with other currencies that are on gold — was stable. In September 1931, Britain left the gold standard. It was quickly followed into devaluation by, among others, Scandinavian countries. On the other hand, several countries stayed on the gold standard, sometimes for years. The United States (US) devalued in April 1933. The so-called gold bloc, led by France, only dislocated in October 1936. Such
Figure 1: Gold price in selected currencies

Note: log of the nominal price of gold expressed in country’s currency — 1930 is normalized to 0. An increase corresponds to a devaluation.

discrepancies in timing create cross-sectional variation that is ripe for identification.

Eichengreen and Sachs (1985) offer the classic treatment of this episode. They show that countries which devalued earlier recovered earlier from the Great Depression. Albeit foundational, this result has several limitations. The first one is that it’s not necessarily causal since it is only a regression of the change in industrial production on the change in the exchange rate. If the decision to devalue was endogenous to output, these estimates are biased. Second, even interpreted in a causal way, this evidence only speaks to the relative effect, not the absolute one. Indeed, one does not know if Britain was doing better than France, because Britain was doing better than it would have under a counter-factual scenario where it hadn’t devalued, or because France was doing worse. Finally, as Eichengreen and Sachs (henceforth ES) emphasize, the exchange rate is not the only channel through which devaluations might have affected output. Cutting the gold content of the currency relaxes the gold cover constraint of the central bank. The latter can then expand the money supply or lower its discount rate, thereby stimulating aggregate demand. So the ES regression might capture a closed-economy monetary stimulus, instead of the effect of a competitive
devaluation. Part of my contribution is to overcome these three limitations.

First, I analyze cross-country data to establish a causal relationship between output and devaluation. To do so, I conduct two empirical exercises.

The first one is a difference-in-difference (DD) estimation. Since some countries devalued in 1931 while others stayed on the gold standard, the episode is an ideal setup. Countries which devalued produced more, exported more, and experienced a drop in real wages following the devaluation, relative to countries that did not. They did not import less — in fact, they imported more after a few years — which runs against the beggar-thy-neighbour presumption. Nominal variables such as price and wage indices also increased. On the monetary side, the action did not come from the nominal but from the real interest rate: inflation was higher in devaluing countries which pushed the real rate down. Finally, devaluing countries do not exhibit preexisting trends in these variables. That they do not rules out some endogeneity concerns — the devaluation decision does not depend on recent economic performance — but it does not rule out all of them. Devaluation may occur in reaction to a contemporaneous shock that would not appear in the preexisting trend but would affect future output. This caveat motivates another identification strategy.

The second empirical exercise relies on high-frequency identification (HFI). I first construct series of policy announcements based on newspaper articles. Most of these events are a devaluation, or an announcement that makes devaluation less likely, such as the fall of an easy money cabinet. I use the change in the forward exchange rate around these announcements as a shock. As long as financial markets anticipate devaluations that systematically correlate with economic conditions, changes in the forward exchange rate around policy announcements are exogenous to those same economic conditions. Armed with these shocks, I can use them as instruments for the spot exchange rate in low-frequency regressions of macroeconomic variables. The identification assumption is conceptually similar to that made by researchers who use changes in federal funds rate futures around Federal Open Market Committee (FOMC) meetings — a well-established identification scheme to infer the causal effect of monetary policy on macroeconomic variables.

These two independent estimation methods show that devaluation stimulated output powerfully. A 30% devaluation increased industrial production by 6% over the following 3 years according to the DD estimates, by 14% according to the HFI ones — compared to a country that did not devalue.

Second, a model is necessary to translate those relative effects into absolute ones. I develop a
multi-country model which features three main ingredients: (i) Kimball (1995) demand systems to allow for incomplete pass-through of the exchange rate to international prices (which I show later is an essential feature of the data), (ii) sticky wages to generate monetary non-neutrality, and (iii) a gold standard to engineer the devaluation. The model allows for both expenditure switching and monetary stimulus. In the model, the strength of the expenditure switching channel depends on the elasticity of substitution between domestic and foreign varieties, the elasticity of substitution among imported varieties, and the pass-through of the exchange rate to international prices.

Since those parameters are important, I digitize new product-level data on US imports to estimate the last two — the first one is estimated later out of cross-country data. This data comes from an official publication of the Department of Commerce, the *Foreign Commerce and Navigation of the United States*. Estimating a demand elasticity is always challenging: in general, the price of a good is correlated with demand shocks. An ordinary least square (OLS) regression of quantity on price would suffer from simultaneity bias. The 1930s, however, offer a readily available instrument: the exchange rate. I show that, as long as devaluation is exogenous to demand shocks for different national varieties of the same product, this instrument identifies the within-product elasticity of substitution among foreign goods. I defend this assumption by checking that prices and quantities do not display pre-existing trends. I find a demand elasticity between 2 and 4, and a pass-through of about 0.4. For a one percent decline in their relative price, US imports of British varieties increase by 2–4%, compared to French varieties. For a 1% depreciation of the pound, dollar prices of British products go down by 0.4%.

Third, I estimate the model by matching moments from cross-country and trade data and run counter-factual experiments. I find that the 1930s devaluations had small effects on non-devaluing countries' output. Put another way, Britain was doing better than France mostly because Britain was doing better than it would have under a counter-factual scenario where it hadn’t devalued — not because France was doing worse. An equivalent way to state this conclusion is that the effect estimated in the cross-section is almost entirely attributable to higher output in devaluing countries, not less output in non-devaluing ones: the absolute effect is close to the relative one.

I clarify how cross-sectional evidence is informative about the absolute effect of a devaluation on devaluing and non-devaluing countries. The absolute effect is the sum of two terms. One depends on the effect on devaluing countries' output relative to non-devaluing countries, the other one is
the absolute effect on world output. The first term is pinned down by cross-sectional evidence, but the second one is absorbed by time fixed effects. Since the model matches cross-sectional evidence, the result depends on the model’s predictions for world output. Those predictions in turn rely on certain structural parameters which determine how powerful monetary policy is — expenditure switching is a wash and doesn’t matter to world-level variables. The cross-section is informative about those parameters. For instance, the relative path of nominal wages is informative about how sticky they are, which conditions the ability of monetary policy to affect real interest rates. The relative path of output is informative about how it responds to changes in real rates. Overall, parameter estimates point toward a monetary stimulus that is big enough to offset expenditure switching in non-devaluing countries. In devaluing countries, those two forces work together.

In a final exercise, I develop a sufficient statistics approach to relax assumptions made on monetary policy, thus showing that the main conclusion doesn’t rely on the specific parametric assumptions of my model. I show analytically that the effect of devaluation in devaluing countries depends on three objects: the relative effect on output, the time path of the world real interest rate, and structural parameters that determine how sensitive output is to the real rate. The first object is pinned down by the cross-country estimation exercises, the third one by the structural estimation of the model. But the time path of the world real rate depends on the specification of monetary policy. To provide empirical discipline on this object, I go back to the data and use the HFI shocks that I constructed in the first part of the paper. Without a time fixed effect, I can estimate the absolute effect of devaluation on the real rate, instead of its relative effect. Indeed, those shocks are identified time series shocks and I can use them for identification in the time series as well as in the cross-section. The world real interest rate falls after a subset of countries devalues. I then feed the path of the real rate into the model to simulate it. The advantage of this approach is that it does not require specifying world-level monetary policy. The result confirms the main message: devaluation has a small effect in countries that do not devalue, but a large one in those that do.

**Literature review:** I contribute to the literature on the Great Depression. Friedman and Schwartz (1963, p. 362) were the first ones to note a cross-country correlation between devaluation and recovery. Building on Eichengreen and Sachs’s (1985) contribution, Campa (1990) or Bernanke and Carey (1996) study currency devaluations across countries; Mitchener and Wand-
schneider (2015) study capital controls. Eichengreen (1992) analyzes the interwar gold standard. Mathy and Meissner (2011) are interested in how trade and exchange rates affect business cycle co-movement. Accominotti (2009) investigates the credibility of the gold standard in Britain before the devaluation. Cohen-Setton et al. (2017) examine the consequences of supply-side reforms in France — reforms that were contemporaneous to its 1936 devaluation. Hausman et al. (2019) argue that the US devaluation bailed out US farmers through its effect on agricultural prices. de Bromhead et al. (2018) or Albers (2019) delve into tariff policies. Ellison et al. (2021) argue that devaluation affected ex-ante real interest rates. In contemporaneous work, Candia and Pedemonte (2021) are also interested in the spillovers of exchange-rate policy on trading partners. Compared to these papers, I bring causal evidence of the effect of devaluations across countries, translate it an absolute effect, and answer the beggar-thy-neighbour question.

The model builds on the open-economy New Keynesian literature. Svensson and van Wijnbergen (1989), Obstfeld and Rogoff (1995) are founding papers. Subsequent literature has been preoccupied with optimal monetary policy in the open economy. Clarida et al. (2002), Benigno and Benigno (2006) showed that under complete markets and local currency pricing, optimal policy consists in stabilizing producer price inflation and output gap, like in the closed economy. With local currency pricing, monetary policy trades off internal objectives with international prices misalignment (Devereux and Engel, 2003, Corsetti and Pesenti, 2005, Engel, 2009). In their handbook chapter, Corsetti et al. (2011) summarize the lessons of the international New Keynesian literature: they argue that concerns for competitive devaluations tend to be overrated since policy responses abroad offset strategic terms-of-trade manipulations. To that tradition, I bring more recent elements from the incomplete pass-through literature (Gopinath and Itskhoki, 2010, Amiti et al., 2014a, Burstein and Gopinath, 2014, Itskhoki and Mukhin, 2019). Compared to these papers, my contribution is to build a model with realistic cross-sectional implications for devaluations, and draw quantitative counter-factual conclusions.

I add to empirical studies of large devaluations. Most of it deals with developing countries in a modern context. For instance, Verhoogen (2008) analyzes firm-level data around the 1994 peso devaluation. Burstein et al. (2005, 2007) argue that the behavior of the real exchange rate after a devaluation is attributable to the slow adjustment of non-tradable goods and services. Rose (2018), Alessandria et al. (2018), Rodnyansky (2019), Kohn et al. (2020) study the behavior
of exports following a large depreciation. Compared to these papers, I answer the beggar-thy-neighbour question.

Finally, I contribute to the literature on the so-called “international elasticity puzzle” (Ruhl, 2008): estimates of international elasticities from the macroeconomics literature are usually low (around 1), while more recent estimates from the trade literature can be much higher (above 2, sometimes up to 10). My estimates (2–4) are on the low side of the trade literature. They discriminate between competing explanations for the puzzle. In section 4.4.6, I discuss this in more details, and argue that my results are consistent with explanations that emphasize that these strands of the literature estimate different objects (Feenstra et al., 2018).

2 Cross-Country Evidence

2.1 Difference-in-Difference Estimation (DD)

From an empirical standpoint, the 1931 devaluations have an appealing feature: before 1931, most countries were on a fixed exchange rate; in 1931, a group of countries devalued their currencies while others stayed on the gold standard for several years, some until 1936. Setting endogeneity aside for now, it is tempting to see the first set of countries as a treated group, and the second one as a control group.

To apply this insight, I run the following specification:

$$\log \left( \frac{Z_t^j}{Z_{1930}^j} \right) = \beta_t \log \left( \frac{XR_{1932}^j}{XR_{1930}^j} \right) \times 1_t + \mu_t + e_t^j$$

(1)

where $Z_t^j$ is an aggregate variable of interest (industrial production, prices, etc.) in country $j$ in year $t$; $XR_t^j$ the exchange rate, expressed as the local-currency price of gold; $1_t$ a year dummy; and $\mu_t$ a year-fixed effect. The sample is restricted to countries that either devalued in 1931 (e.g. Britain) or did not devalue before 1936 (e.g. France). I study years 1928 to 1935 in order to include pre- and post-treatment years.

The change in the exchange rate is instrumented with a devaluation dummy, so that $\beta_t$ can be interpreted as the performance of devaluing countries, relative to non devaluers, scaled by the

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3Country samples are summarized in the appendix (table A.1).
average change in the exchange rate. Figure 2 displays those coefficients for 9 macroeconomic variables. In the appendix, I also present results for a specification where I estimate equation (1) by ordinary least squares (figure A.3). These results are denoted DD-OLS while the baseline is DD-IV.

The devaluations were followed by a sharp relative increase in industrial production, exports and, after a few years, imports. The increase in imports may seem surprising since the expenditure switching channel would predict a fall as these become dearer. Nominal quantities also increased, but not one for one. Since the impulse response functions (IRF) are normalized by the change in the exchange rate, full pass-through of the 1930-32 change in the exchange rate to nominal quantities would correspond to a coefficient of 1. For instance, in 1935, wholesale prices had only increased by about 50% in countries that devalued, relative to countries that didn’t. The pass-through is even lower for nominal wages, so that real wages went down in countries that devalued.

On the monetary front, the action did not come from the nominal interest rate, but from the real interest rate. The devaluations did not coincide with significant cuts in the discount rate of the central bank. On the other hand, the relative increase in the price level implies that the real interest rate fell sharply.\footnote{Absent direct measures on inflation expectations, I computed the ex-post real interest rate: $r_t \approx i_t - \pi_{t+1}$ where $i_t$ is the discount rate of the central bank and $\pi_{t+1}$ is the annual inflation rate of the wholesale price index.} The 1931 coefficient of -0.37 entails a 11% basis points cut in the real interest rate for a devaluation of 30%. Calling the 1931 depreciation of the pound a devaluation is a slight abuse of language. In truth, British authorities suspended the gold convertibility of the pound, let it depreciate for a few months, and actively managed the exchange rate from July 1932 onward. The tie to gold was never formally re-established. Other devaluers similarly allowed their currency to depreciate before pegging to the pound (Eichengreen, 1992, ch. 10). Therefore, I investigate the behavior of the exchange rate after 1932 by estimating equation (1) with the exchange rate on the left-hand side — $\hat{\beta}_{1932} = 1$ by construction. The exchange rate kept depreciating after 1932 (bottom right panel of figure 2).

The behavior of imports is a first dent into the beggar-thy-neighbour story. One side of that story is that, through devaluation, the country makes its domestic goods cheaper, importing less itself, and forcing others to import more. I find no evidence for that mechanism, suggesting either a low substitution between imports and domestic goods, or an offsetting response of domestic de-
Figure 2: Aggregate variables (DD-IV)

Note: response of relevant variable in devaluing countries, relative to non-devaluing ones. Formally, the plots show the estimate of $\beta_t$ in equation (1). $\beta_{1930}$ is normalized to 0. Standard errors are bootstrapped with 2,000 replications, and clustered at the country level. The number in parenthesis is the P-value of a test of the joint significance of the 1932 to 1935 coefficients. The y-axis scale of the nominal and real interest rates are identical for visual convenience.
mand... or both. In fact, after a few years, those countries import more, which is suggestive of a strong response of domestic demand. These estimates conflict with the findings of a contemporaneous paper by Candia and Pedemonte (2021). Looking at a cross-section of US cities around 1931, they argue that those that were more exposed to sectors which were exporting to devaluing countries experienced a fall in bank debits. (Bank debits are the only city-level measure of economic activity that is available at monthly frequency.) This is puzzling in light of my results: a necessary condition for those cities to be hurt would seem to be that devaluing countries import less. That devaluing countries do not import less will be confirmed by the cleaner high frequency identification.

Did other policies correlate with exchange rate depreciation? The first possibility is changes in tariff. A relative tariff decline in countries that devalued may explain the behavior of imports on figure 1. Figure A.1 in the appendix shows that countries which devalued indeed experienced a relative decline in the ratio of tariff revenues divided by the value of their imports. These changes were driven by tariff hikes in countries that did not devalue, instead of tariff cuts in countries that did (Eichengreen and Irwin, 2010). The second possibility is fiscal policy. After all, the pound devaluation occurred in the face of stalling negotiations around the government budget. It is conceivable that, by relaxing the constraint that it exerted on monetary policy, leaving the gold standard allowed the central bank to print money to finance the fiscal authority. Through higher spending, fiscal policy might have stimulated output. Evidence shown on figure A.1 disproves this story. If anything, real government spending declined after the devaluations. The test of joint significance of the 1932 to 1935 coefficients returns a p-value that is too high to reject the null that all coefficients are 0. The same is true about revenues.\(^5\) In any case, these policies do not explain the results. In figure A.2, I add the changes in tariff and fiscal variables as controls, without discernible effects on the point estimates. They can lower statistical significance for some variables though (table A.3).

Why did countries devalue, why did they not? According to Eichengreen and Sachs (1985) and Eichengreen (1992), the decision to devalue was shaped by past experience with the gold

\(^5\)Inspecting these results, I found that this (insignificant) fall in real spending and revenues was primarily driven by the increase in the wholesale price index (figure 2), which I use to deflate nominal spending and revenues. Thus, it is plausible that the decline in spending and revenues was due to nominal stickiness in civil servant’s salaries or tax brackets.
standard more than contemporaneous economic performance. In Britain, where the pound had been brought back to its pre-WWI parity at the expense of deflation and unemployment, there was little appetite for more austerity. France, on the other hand, had come close to hyperinflation in 1926. The franc convertibility had been restored after a protracted war of attrition between political parties to decide who would bear the costs of adjustment. In the 1930s, even Communists opposed devaluation, which they thought would reduce workers’ living standards.

Can figure 2 be interpreted as evidence of a causal link from devaluation to recovery? That none of the variables exhibits preexisting trend — except nominal wages perhaps — is at least suggestive of a causal relationship. In particular, it rules out the possibility that results are driven by the economy bouncing back from a shock that would have led to devaluation. Nevertheless, devaluing countries may have been reacting to a contemporaneous shock that would have affected future output, such as banking difficulties.\(^6\) That kind of bias, however, would go in a direction opposite to my results.

Still, it is with these caveats in mind that I turn to a different identification strategy, one which relies on high frequency variation.

### 2.2 High-Frequency Identification (HFI)

#### 2.2.1 Identification Strategy

The decision to devalue may of course be influenced by fundamentals; but different policymakers may take different decisions in the face of similar circumstances. The 1933 devaluation of the dollar is a good example. Franklin D. Roosevelt, who had just become president, had been unclear about his intentions. The Senate was sympathetic to a *de facto* abandonment of the gold standard in the form of massive purchases of silver. To avoid this radical policy, Roosevelt negotiated in secret an amendment to the Farm Relief Act that gave him authority to cut the gold content of the currency by up to 50%. Edwards (2018, pp. 57–58) tells how he broke the news to his advisers:

> On the night of April 18, the president met with his close advisers to discuss issues related to the impending visit of British Prime Minister Ramsay MacDonald. [...] 

\(^6\)For instance, Accominotti (2012) argues that London merchant banks were in serious trouble because they were the guarantors of important quantities of Central European debt, whose payments were frozen when Austria, Germany and Hungary implemented capital controls.
Only [Assistant Secretary of State] Moley knew that Roosevelt had been negotiating a new initiative for “controlled inflation” with a group of key senators, including Elmer Thomas from Oklahoma. When FDR told them, with a chuckle, that the next day he would announce his support for the Thomas Amendment, [adviser] Feis, [Budget Director] Douglas, and [Secretary of State] Warburg became livid; they couldn’t believe what they were hearing and interrupted each other in their efforts to convince the president that this was a mistake of historical proportions. In 1934, Warburg wrote that as late as April 18, those who were in daily contact with FDR had no “idea that he was seriously considering such a move.” [...] After leaving the White House late that night, Lew Douglas told the rest of the group that without a doubt this was “the end of Western civilization.”

That Roosevelt’s closest advisers were stunned by his decision suggests there was nothing ineluctable about it. Had he been president, Budget Director Douglas would have probably chosen a different path for the exchange rate. The silverites of the Senate would have picked yet another path.

That kind of variation is exogenous and can be isolated. To do so, I construct series of policy announcements and use changes in the 3-month forward exchange rate around those announcements as instruments for the exchange rate. Being an asset price, the forward exchange rate should incorporate market expectations about the future path of the exchange rate. So, as long as markets and policymakers have similar information about current and future economic conditions, movements in the forward rate that are prompted by policy announcements are exogenous, and can be used to infer the effect of exchange rate policy on the economy. Within that framework, a shock can be an unexpected devaluation that happened, or an expected devaluation that did not happen. This strategy is conceptually similar to that of a literature that uses, in a modern context, changes in federal funds rate futures on FOMC days as an instrument for changes in the federal funds rate target in a VAR or a local projection.\footnote{See Ramey (2016) for a survey. Bagliano and Favero (1999), Cochrane and Piazzesi (2002), Faust et al. (2004), Barakchian and Crowe (2013), Gertler and Karadi (2015) are early contributors to this identification scheme. Weiss (2020) applies it to silverite agitation during the pre-WWI gold standard era. The use of forward exchange rates to infer devaluation expectations has some precedents in the Great Depression literature (Hsieh and Romer, 2006, Accominotti, 2009). These authors, however, do not study the effect of devaluation shocks on macroeconomic variables.}
2.2.2 Shock Construction

The main challenge of this identification strategy is to find the dates of the policy announcements. I implement a four-step procedure:

1. Search in ProQuest Historical Newspapers for articles featuring appropriate keywords for each day of the period during which the country is on the gold standard. The keywords are: (i) the name of the country or currency, and (ii) mentions of devaluation, leaving the gold standard, or exchange controls. ProQuest Historical Newspapers is a database of archives of the main US newspapers: New York Times, Wall Street Journal, Chicago Tribune;

2. Retain dates whose number of articles is 6 standard deviations above the mean. With this step, I seek to select days where an important amount of news is released about future exchange rate policy. The threshold of 6 is somewhat arbitrary. I picked it by trading-off quantity and relevance of those dates. A much higher threshold would leave me with too few days, a much lower one would return too many dates where nothing particular is announced;

3. Read those articles to identify the nature and exact timing of the news: retain dates that correspond to a policy announcement (e.g. devaluation), reject them if they’re only conveying news about the economic situation (e.g. strike).

4. Use variation in the 3-month forward exchange rate around the announcement as a shock.

I illustrate this procedure with the case of France; other countries’ details are given in the appendix. France is an ideal example because it waited until 1936 to devalue, and because its decision to finally devalue was preceded by several false alarms — expected devaluations that did not happen. Figure 3 shows the number of daily articles returned by a search of the keywords:

\[
ti(\text{France OR French OR franc}) \text{ AND (devaluation OR ((off OR suspension OR leave OR quit) AND "gold standard") OR (exchange control))}
\]

These keywords mean that: (i) “France”, “French” or “franc” must be in the title of the article; and (ii) “devaluation”, or a reference to leaving the gold standard or “exchange control” must be in the title or text of the article. Over the period during which France was on the gold standard (June 1928 to September 1936), the mean of the number of such articles was 1.3 and the standard
deviation 3.1. So a day must feature more than 20 articles in order to be retained. The red line on figure 3 is the cutoff.

Table 1 lists the dates that are above that cutoff. First, many dates neighbor each other. For instance, the September 1936 devaluation of the franc, which was announced on September 26, and officially ratified on October 2, sparked a flurry of articles from September 25 to October 5. Since these articles deal with the same event, I take them as a single shock, which happens on September 26, the day the devaluation was announced. Before devaluation happened, my procedure detects two announcements that correspond to non-devaluations. The first one is the fall of Pierre-Etienne Flandin’s cabinet. While officially opposed to devaluation, Flandin’s government implemented policies that ran against the gold standard constraint: low interest rates, budget deficit, cartelization of the French industry... Flandin’s fall and replacement by Fernand Bouisson, whose government was more committed to deflationary policies, were interpreted as a contractionary shock by the forward exchange rate market. The second non-devaluation is Léon Blum’s speech on May 10, 1936. Blum was a Socialist who led a left-wing coalition, the Popular Front, to victory on May
Table 1: France, shocks

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<th># articles</th>
<th>Event</th>
<th>Shock</th>
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<td></td>
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<td>22</td>
<td>Blum’s devaluation speech</td>
<td>-0.013</td>
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<td>Strikes</td>
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</tr>
<tr>
<td>01oct1936</td>
<td>25</td>
<td></td>
<td></td>
</tr>
<tr>
<td>02oct1936</td>
<td>28</td>
<td></td>
<td></td>
</tr>
<tr>
<td>03oct1936</td>
<td>28</td>
<td></td>
<td></td>
</tr>
<tr>
<td>04oct1936</td>
<td>27</td>
<td></td>
<td></td>
</tr>
<tr>
<td>05oct1936</td>
<td>24</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Notes: shocks selected by the procedure described in section 2.2. The mean and standard deviations of the daily number of articles are 1.3 and 3.1 respectively. Other countries are shown in table A.4.

3, 1936. This victory led to speculation that France would devalue. With that speech, the head of government reassured financial markets about his commitment to the gold standard, thereby generating a contractionary shock. Five months later, the same Blum would take the decision to devalue the franc...

One last difficulty is that, sometimes, financial markets were closed after major announcements. For instance, in 1936, the Paris bourse was closed from September 25 until October 1, when the devaluation law was passed. So there were no forward exchange quotations during that time. As a result, I take the narrowest possible window — 7 days in that case — around the announcement. The French devaluation, however, is an extreme example. In most cases, that narrowest window is 1 or 2 trading days.

2.2.3 Results

I estimate a panel local projection with instrumental variable (Jordà, 2005, Jordà et al., 2015):

\[ z_{t+k}^j - z_{t-1}^j = \beta_k (x_{t}^j - x_{t-1}^j) + \gamma_k X_{t-1}^j + \delta_{t,k} + \epsilon_{t,k}^j + \epsilon_{t,k}^j \]  

(2)
where \( z_t^j \) is the log of the variable of interest in country \( j \) in month \( t \), \( x_{rt}^j \) the log of the spot exchange rate, \( X_t^j \) is a vector of controls, \( \delta_{t,k} \) and \( \zeta_k^j \) are time and country fixed effects. The spot exchange rate is instrumented with the aforementioned shocks. I estimate equation (2) at quarterly frequency. The controls are a year of lagged changes in the outcome variable and the exchange rate.

The countries and outcome variables differ from those of the difference-in-difference exercise. Before, the choice of countries was dictated by the desire to construct a quasi-experimental setup. Now, the sample is determined by data availability: it is made of the eight countries for which forward exchange rate data is continuously available from *The Financial Times* — Germany, Belgium, France, Italy, the Netherlands, Switzerland, the United Kingdom and the US. Moreover, since this exercise requires quarterly data, some of it comes with important limitations. First, exports and imports can only be nominal as quantity and price indices are typically not available above annual frequency. Second, I was not able to find nominal wage series for Belgium, the Netherlands and Switzerland; and that for France is for coal miners only. Third, industrial production is unavailable at quarterly frequency for the Netherlands and Switzerland. For each variable, I include every country for which the data is available.

Figure 4 shows the results for the baseline specification. The results are qualitatively similar to those of section 2.1. The devaluation stimulated industrial production, nominal exports and imports, prices and nominal wages, as well as a fall in real wages. Again, the monetary action comes not from the nominal interest rate, but from the real one.

### 2.2.4 Potential Objections

What about the “information effect” (Nakamura and Steinsson, 2018)? If monetary authorities possess superior information about present and future economic conditions, policy shocks are not exogenous to those same economic conditions. They only reflect superior information. In this context, however, this is less likely to be a problem than with modern data. Governments and central banks had smaller staff than they do today, and they shouldn’t be expected to have had better information about the state of the economy.

Isn’t the timing of the policy announcements endogenous? It certainly is. But this is not a problem as long as that endogeneity is reflected in the forward rate on the eve of the announcement.
Figure 4: Impulse response functions (HFI)

Note: response of relevant variable to an exogenous 100 log-points devaluation in the exchange rate. Formally, the plots show the estimate of $\beta_k$ in equation (2). The black line is the point estimate; the gray area is the 95% confidence interval with Driscoll-Kraay standard errors. The number in parenthesis is the p-value of a test of the joint significance of the coefficients. The y-axis scale of the nominal and real interest rates are identical for visual convenience.

This would only be a problem if the announcements reflected information about future economic conditions that became known during the day. Since devaluations tended to be protracted affairs whose decisions took months, if not years, to be taken, this is unlikely to be an issue. In the case of the US, the quote above suggests that Roosevelt took his decision at least one day before announcing it.

Don’t daily variations in the forward rate partly reflect background noise that correlates with economic fundamentals? It is possible. With modern data, one can keep background noise to a minimum by using 30-minute windows around the announcement. Since only daily data is available in the 1930s, this cannot be done here. Hence, I must assume that there is more good (driven by the announcement) than bad (background noise that correlates with fundamentals) variation on the
days of policy announcements. Put another way, the identifying assumption is really that most, if not all, variation in the forward rate, around policy announcements, is exogenous. At any rate, this assumption is much milder than the one required by the DD strategy: that all variation, every day, is exogenous.

Do forward exchange rates capture expectations about future spot rates? Even though, in modern data, the forward rate tends to be a poor proxy for the future spot rate (Fama, 1984), this is less true under fixed exchange rates. For instance, Accominotti et al. (2019) find zero return to the carry trade under fixed exchange rate regimes with the same data, currencies and time period. Their result is in line with other studies from different eras: Flood and Rose (1996) find smaller deviations from uncovered interest rate parity among currencies of the Euopean Monetary System; so do Colacito and Croce (2013) with Bretton-Woods data.

2.3 DD vs. HFI: Comparison

A casual inspection of figures 2 and 4 suggest that, while the two exercises have qualitatively similar conclusions, they differ quantitatively. In the DD case, the industrial production coefficient is mostly below 0.5, meaning that a 30% devaluation stimulates output by less than 15% in relative terms. In the HFI case, that coefficient hovers above 0.5, sometimes even above 1. This kind of comparison has its limitations for two reasons. First, it does not take standard errors into account — the HFI confidence intervals often include numbers below 0.5. Second, the underlying policy change is not necessarily the same. In the DD case, the exchange rate keeps depreciating, particularly from 1932 to 1933; while the HFI case looks closer to a one-off devaluation.

To refine the comparison, I compute the integral below the coefficients. Formally, for some outcome variable \( z \), I compute:

\[
I^z = \int_{t_1}^{t_2} \frac{1}{t_2 - t_1 + 1} \sum_{t=t_1}^{t_2} \beta^z_t
\]

where \( \beta^z_t \) is the coefficient associated with variable \( z \). To account for the differing exchange rate change, I compute the ratio of the integral for variable \( z \) and the integral for the exchange rate: \( I^z / I^{xr} \). To make the timing of the two exercises as similar as possible, I use the 1932 to 1934 coefficient in the DD case, the horizon-1 to 12 coefficients in the HFI case. Since most of the 1931 devaluations happened in late September or early October, this procedure roughly captures the
Table 2: DD vs. HFI: Quantitative Comparison

<table>
<thead>
<tr>
<th></th>
<th>DD-IV</th>
<th>DD-OLS</th>
<th>HFI</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Numerator</td>
<td>Denominator</td>
<td>Ratio</td>
</tr>
<tr>
<td>Industrial production</td>
<td>0.30 [0.02,0.57]</td>
<td>1.46 [1.24,1.69]</td>
<td>0.20 [0.00,0.40]</td>
</tr>
<tr>
<td>Wholesale price index</td>
<td>0.57 [0.35,0.79]</td>
<td>0.34 [1.18,1.50]</td>
<td>0.43 [0.25,0.60]</td>
</tr>
</tbody>
</table>

Note: point estimates and 95% confidence intervals retrieved from averaging the coefficients whose estimations is detailed in sections 2.1 and 2.2. The numerator is the average coefficient for the relevant variable, the denominator is the average coefficient for the exchange rate. The ratio is the ratio of the two. DD-IV: 1932 to 1934 coefficients of equation (1), instrumenting the change in the exchange rate with a devaluation dummy. DD-OLS: 1932 to 1934 coefficients of equation (1), estimated by OLS. HFI: horizon-1 to 12 coefficients of equation (2).

This exercise confirms that the HFI strategy delivers larger estimates for industrial production, but the confidence intervals sometimes overlap. In table 2, I present the results for the two versions of the DD strategy — DD-IV where the change in the exchange rate is instrumented with a devaluation dummy, DD-OLS where equation (1) is estimated by OLS — and the HFI strategy. For industrial production, the ratio is more than 3 times higher with the HFI strategy (0.68) than with the DD-IV one (0.20), while DD-OLS lies in between (0.35). The lower bound for the HFI 95% confidence interval is lower than the DD-IV upper bound for the ratio (0.64 against 0.40), but not for the numerator. The differences are smaller and insignificant when it comes to prices.

It is possible that these differences reflect downward bias in the DD estimates. If the 1931 devaluations were driven by negative shocks that affected future output in countries that devalued (such as stress in the financial system), and if these shocks were reflected in the forward rate, then one should expect the HFI strategy to deliver higher estimates. Indeed, the pound was trading at a discount in September 1931, reflecting some anticipations of a currency devaluation. But I caution against reading too much into those differences, for two reasons. First, and once again, the

---

8. 3-year-ahead quarterly impulse response functions require estimating $3 \times 4 \times 2 = 24$ equations.
differences are not necessarily statistically significant. Second, the underlying country samples are
different. Idiosyncrasies in different countries' experience with the Great Depression or recovery
may also be explanations. For instance, dropping the US from the HFI sample lowers the industrial
production ratio from 0.92 to 0.70. This was to be expected as the US experienced a deep depression
and a strong recovery.

To summarize section 2, I have presented evidence on the relative effects of devaluations across
countries. Once again, a relative statement does not directly answer the question of interest: Britain
might have been doing better than France because it was doing better in absolute terms, or because
France was doing worse. Interpreting these estimates and making a statement about the size of the
absolute effect requires a model, to which I turn in the next section.

3 A Multi-Country Model

I consider a world made of a continuum of symmetric countries whose combined size is normalized
to 1. In each country, there still are a continuum of firms that each produce a variety of that
product. All production is consumed. I relegate detailed proofs to the appendix and focus on the
main equations.

3.1 Demand System

In country $j$, the household minimizes expenditures:

$$
\int \int P_{ij}^j(f) C_{ij}^j(f) \, df + \int \int P_{jk}^j(f) C_{jk}^j(f) \, df \, dk
$$

subject to a Kimball (1995) aggregator:

$$
C_i^j = (1 - \Gamma) C_i^j \times g \left( \int_f g^* \left( \frac{C_{ij}^j(f)}{(1 - \Gamma) C_i^j} \right) \, df \right) + \Gamma C_i^j \times g \left( \int \int g^* \left( \frac{C_{jk}^j(f)}{\Gamma C_i^j} \right) \, df \right) \, dj
$$

$P_{ij}^j(f)$ and $C_{ij}^j(f)$ are the price and consumption, in country $j$, of the variety produced by firm $f$ of country $j$. Their product is expenditures on that variety. Summing over all firms $f$ corresponds
to expenditures on domestic varieties. $P_{ik}^j(f)$ and $C_{ik}^j(f)$ are the price and consumption, in country
$j$, of the variety produced by firm $f$ of country $k$. Their product is expenditures on that variety.
Summing over all firms $f$ and foreign countries $k$ corresponds to expenditures on foreign varieties. $ar{\Gamma}$ is the coefficient of openness: the higher $\bar{\Gamma}$, the more the household consumes of the foreign good.

Equation (3) governs aggregation of those varieties through the functions $g(.)$ and $g^*(.)$. I assume particular functional forms for those. $g(.)$, the function that governs aggregation between domestic and foreign varieties, is of the form:

$$g(x) = 1 + \frac{1}{1 - \bar{\rho}} (x^{1-\bar{\rho}} - 1)$$

$g^*(.)$ is the function that governs aggregation among domestic and foreign firms. I borrow the functional form used by Klenow and Willis (2016):

$$h(x) = g^{*-1}(x) = (1 - \bar{m}' \log(x))^{\theta \bar{m}'}, \quad \theta > 1, \quad \bar{m}' > 0$$

The constant elasticity of substitution (CES) model is nested: this formulation collapses to a CES demand system with elasticity $\theta$ if $\bar{\rho} = 0$ and $\bar{m}' \to 0$.

Solving the expenditure-minimization problem and log-linearizing around a symmetric steady state gives the following demand functions:

$$\hat{c}^j_{jk} = -\theta \left(p^j_{tk} - p^j_{t*}\right) + \hat{c}^j_{t*} \tag{4}$$

$$\hat{c}^j_{t*} = -\rho \left(p^j_{t*} - p^j_t\right) + \hat{c}^j_t \tag{5}$$

$$\hat{c}^{jj}_t = -\rho \left(p^{jj}_t - p^j_t\right) + \hat{c}^j_t \tag{6}$$

Equation (4) is the demand for country $k$’s varieties in country $j$ as a function of their price ($p^{jk}_t$) relative to the import price index ($p^{j*}_t$) and of country $j$’s imports ($c^{j*}_t$). Equations (5) and (6) are the demand for imports ($c^{j*}_t$) and domestic goods ($\hat{c}^{jj}_t$) as a function of their prices ($p^{j*}_t$ and $p^{jj}_t$) relative to the consumer price index ($p^j_t$).

These equations introduce a new parameter, $\rho$, the elasticity of substitution between domestic and foreign goods, which is given by:

$$\rho \equiv \frac{\theta}{1 + \theta \bar{\rho}}$$
If $\hat{\rho} > 0$, $g(.)$ is concave so domestic and foreign varieties become less substitutable ($\rho < \theta$). If $\hat{\rho} < 0$, $g(.)$ is convex and the opposite happens. In the estimation, I shall argue that $\rho < \theta$ is the relevant case. In theory, however, the relationship is not restricted.

Kimball demand is a standard tool to generate incomplete pass-through of the exchange rate to international prices (Amiti et al., 2014b, Burstein and Gopinath, 2014, Itskhoki and Mukhin, 2019). Compared to these papers, however, I innovate along one dimension: the introduction of an extra aggregator, $g(.)$. This addition allows me to distinguish the elasticity of substitution among imports ($\theta$) from that between imports and domestic varieties ($\rho$). If $g(.)$ is the identity, then: $\rho = \theta$. Nested CES demand systems within and across sectors can also generate incomplete pass-through if firms are not atomistic within their sectors (Atkeson and Burstein, 2008). To be calibrated, however, this framework requires information on the share of exporting firms and on the concentration of production among producers in a sector, which is not available for this period. Therefore, I opt for the more parsimonious Kimball apparatus.

3.2 Pass-Through

Prices are flexible. Firm $f$ sets its local currency price subject to the demand function that arises from the expenditure minimization of the household. I show in the appendix that this problem implies:

$$p_{jk}^t = (1 - \zeta_1 - \zeta_2)(mc_{k}^t - x_{kj}^t) + \zeta_1 p_{j}^{*t} + \zeta_2 p_{j}^{*t}$$

where:

$$\zeta_1 = \bar{m}(1 - \rho/\theta) \quad \zeta_2 = \frac{\bar{m}\rho/\theta}{1 + \bar{m}} \quad \bar{m} = \frac{m'}{\theta - 1}$$

$\zeta_1$ and $\zeta_2$ are the strategic complementarity parameters. Their presence implies that, when they set their price, foreign producers adapt their price to the import ($p_{j}^{*t}$) and domestic ($p_{j}^{t}$) price indices of the country of destination. Like the elasticities, the strategic complementarity parameters depend on the aggregator functions $g(.)$ and $g^{*}(.)$. They lie between 0 and 1. In the CES case, these parameters are equal to 0.
Equation (7) implies that the pass-through of the exchange rate is:

\[ 1 - \zeta_1 - \zeta_2 = \frac{1}{1 + \bar{m}} < 1 \]  \hspace{1cm} (8)

In general this pass-through is below 1. Once again, the CES model is nested. A CES demand implies that the firm charges a constant markup, hence transmits any exchange rate movement one for one — the pass-through is 1. This is apparent in the latter formula: the pass-through converges to 1 if \( \bar{m} \) goes to 0. In fact, \( \bar{m} \) is the elasticity of the markup. With \( \bar{m} \to 0 \), the markup is inelastic, hence constant, which is a feature of the CES case.

### 3.3 Output

Gathering equations (4–7) implies that output in country \( j \) is equal to:

\[
\hat{y}_j^t = \psi \left( \int_m (mc^m_t - x_{jr}^{jm}) \, dm - mc^j_t \right) + \frac{1 - \bar{\Gamma}}{\bar{\Gamma} + \bar{\mathcal{C}}^j_t} + \bar{\Gamma} \int_k \mathcal{C}^k_t \, dk 
\]

\( (9) \)

where:

\[
\psi \equiv \bar{\Gamma} \left( \frac{1 - \bar{\Gamma}}{1 + \bar{m}\rho/\theta} + \frac{\theta}{1 + \bar{m}} \right) 
\]

The last two terms (domestic and foreign consumption) are easy to interpret. If country \( j \) consumes more, it demands more of its own goods, hence produces more. Similarly, if its trading partners consume more, they demand more of the country’s goods, hence country \( j \) produces more.

The first term embodies expenditure switching. It gathers marginal cost in the rest of the world \( (mc^m_t) \), adjusted for the bilateral exchange rate \( (x_{jr}^{jm}) \), relative to marginal cost in country \( j \) \( (mc^j_t) \). If country \( j \)’s currency depreciates \( (x_{jr}^{jm}) \) increases), it lowers marginal cost expressed in foreign currency. The depreciation finds its way into the price of country \( j \)’s varieties through equation (7). Consumers shift expenditures towards those varieties. For given levels of domestic and foreign consumption, country \( j \) must produce more.

The beggar-thy-neighbour question amounts to whether the first term dominates the third one — and if so, by how much? Expenditure switching weighs non-devaluing country’s output down,
but the monetary stimulus to foreign demand pushes it up. In theory, the latter may trump the former. Of course, in equilibrium, whichever dominates will feed into domestic consumption.

The strength of the expenditure switching term is governed by $\psi$ which, besides the coefficient of openness $\Gamma$, depends on three parameters: (i) $\rho$, the elasticity of substitution between foreign and domestic varieties, (ii) $\theta$ the elasticity of substitution among foreign varieties and (iii) $\bar{m}$ the elasticity of firms’ markup which determines the pass-through.

I now turn to granular trade data to estimate the last two parameters, $\theta$ and $\bar{m}$ — the first one, $\rho$, will be estimated out of the cross-country moments. Doing so, I relax some of the assumptions of this section: single product, absence of demand shocks, symmetric and atomistic countries.

4 Trade Evidence

4.1 Identification Strategy

I assume that demand for product $r$ in country $j$, $C_{jt}^j$, is governed by a Kimball (1995) aggregator:

$$C_{jt}^j = (1 - \Gamma_{jt})C_{jt}^j \times g \left( \int_f g^* \left( \frac{C_{jt}^j(f)}{(1 - \Gamma_{jt})C_{jt}^j} \right) df \right)$$

$$+ \Gamma_{jt}C_{jt}^j \times g \left( \sum_{k \in J, k \neq j} K_{jt}^k \int_f g^* \left( \frac{C_{jt}^j(f)}{\Gamma_{jt} \Gamma_{jt}^k C_{jt}^j} \right) df \right)$$

(10)

where $C_{jt}^j(f)$ is demand in country $j$ for product $r$ from firm $f$ of country $j$.

Equation (10) is a generalization of equation (3). The first generalization is the introduction of many products $r$: there is now an aggregator within each product category. The second generalization is the introduction of taste shocks for imported ($\Gamma_{jt}^j$) and foreign varieties ($K_{jt}^j$).

Solving the expenditure minimization problem and log-linearizing, I can write:

$$\Delta C_{jt}^j = -\theta \Delta P_{jt}^j + \theta \Delta P_{jt}^j + \Delta c_{jt}^j + \Delta \kappa_{jt}^j$$

(11)

$\Delta$ denotes time differentiation, and lower case letters logarithms. $c_{jt}^j$ is country $j$’s demand for country $k$’s varieties of product $r$ and $P_{jt}^j$ their price index. $c_{jt}^j$ and $P_{jt}^j$ are country $k$’s quantity and price of imports of product $r$. $\kappa_{jt}^j$ shifts expenditures to country $j$’s variety away from other
foreign varieties.

θ is the price elasticity of substitution among foreign varieties. It is the parameter that I seek to estimate. It is given by: \( \theta = -h'(1) \) where \( h(.) = (g^*)^{-1}(.) \). Importantly, I did not assume a constant elasticity of substitution (CES) demand system to arrive at equation (11). The elasticity is not necessarily constant. On the other hand, θ is the elasticity around a symmetric equilibrium where relative prices are equal to 1.

The empirical analogue of equation (11) is:

\[
\Delta c_{rt}^{jk} = -\theta \Delta p_{rt}^{jk} + \mu_{rt}^j + e_{rt}^{jk}
\]

The fixed effect \( \mu_{rt}^j \) soaks up the \( \theta \Delta p_{rt}^{jk} + \Delta c_{rt}^{jk} \) term. Yet, simultaneity bias would be looming if I were to estimate equation (12) by OLS. To solve this problem, I instrument the price, \( p_{rt}^{jk} \), with the exchange rate, \( x_{rt}^k \). Since I use data on US imports (\( j = us \)), this strategy identifies \( \theta \) as long as devaluation is uncorrelated with within-product US relative demand shocks, \( \Delta \kappa_{rt}^{us,k} \).

**Proposition 1 (Elasticity)** Provided devaluation is exogenous to within-product US demand shocks, instrumenting prices with the exchange rate in regression (12) identifies the within-product elasticity of substitution among foreign varieties, \( \theta \).

To understand the strengths and limitations of proposition 1, consider two examples, one where the identification assumption is satisfied and one where it’s not. If Britain devalued because it exported a lot of steel and the world demand for steel had collapsed because of the Great Depression, the identification assumption holds. Indeed, such a confounding factor is controlled for by the product-time fixed effects, \( \mu_{rt}^j \). If, on the other hand, Britain devalued because the US was suddenly importing less steel from Britain than from France, then the identification assumption fails. Such a story doesn’t seem particularly plausible. The identification assumption also allows for any correlation of devaluation with supply-driven shocks. Its failure can only come from a mechanism involving relative demand shocks.
4.2 Data

Probably because tariff revenues were the main source of revenues of the federal government in the first hundred years of its existence, the United States was already collecting detailed trade data in 1790. The first Treasury of the Secretary, Alexander Hamilton, would thus transmit to Congress annual statements on exports and imports. This tradition lasted for the whole 19th century. In the late 1890s, the Bureau of Statistics of the Treasury even started issuing monthly data. In 1904, this responsibility shifted to the newly created Department of Commerce and Labor.

In the 1930s, the annual data would be published in a report of the Department of Commerce called the *Foreign Commerce and Navigation of the United States*. This publication, which lasted until the 1960s, contains the equivalent of the trade data that one can download nowadays from the Census’ website. It features yearly information at the product level, broken down by countries. Products are fairly narrow categories. For instance, in 1930, there are 98 products in the metals group alone. Among them are steel bars, hand-sewing and darning needles, or manganese ore. For each product, I observe yearly imports both in value and in the relevant quantity. For example, I know that, in 1931, the US imported 1,260,496 golf balls from the United Kingdom, for a value of $387,513. Table 3 is a snapshot taken from the 1931 issue.

While this data is publicly available, it needs to be digitized.\(^9\) I used an optical character recognition software, ABBY FineReader. This process entails a lot of errors, and requires many manual adjustments and corrections. Luckily, the tables include subtotals for each product. I can thus check that imports add up at the product level, which greatly limits the possibility of reading mistakes. I digitized the data for years 1929 to 1933. As far as I know, mine is the first paper to use this data at this level of detail.

A notable feature of this data is the way the value of imports is computed. Imported goods were appraised based on the prices prevailing in the country of origin, for domestic or export purposes, inflated with shipping costs. The procedure, as it is described in the Tariff Act of 1930 (p. 132 and following), worked as follows: (i) the importer filed an invoice that included “the purchase price of each item in the currency of the purchase”, (ii) an individual mandated by the Treasury appraised “the merchandise in the unit of quantity in which the merchandise is usually bought

\(^9\)I access it through NewsBank’s “U.S. Congressional Serial Set, 1817-1980” database. The files are high-quality but image-only PDF.
Table 3: An example of the data

<table>
<thead>
<tr>
<th>Country</th>
<th>6028. Blocks, pigs, etc., from and odd (f.t.)</th>
<th>6030. Sheets, duct, and similar (f.t.)</th>
<th>6060. Ore (free)</th>
<th>6061. Nettles or leaf, etc., and rhino or metal (f.t.)</th>
<th>6600. Cobalt ore and metal (free)</th>
<th>6652. Quicksilver or mercury (f.t.)</th>
<th>6740. Other ores, metals and alloys (free)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Pounds</td>
<td>Dollars</td>
<td>Pounds</td>
<td>Pounds</td>
<td>Pounds</td>
<td>Pounds</td>
<td>Pounds</td>
</tr>
<tr>
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<td>401</td>
<td>2,384</td>
<td>6,726</td>
<td>200</td>
<td>3,016</td>
<td>4,368</td>
</tr>
<tr>
<td>Belgium</td>
<td>11,253</td>
<td>401</td>
<td>2,384</td>
<td>6,726</td>
<td>200</td>
<td>3,016</td>
<td>4,368</td>
</tr>
<tr>
<td>Denmark</td>
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<td>401</td>
<td>2,384</td>
<td>6,726</td>
<td>200</td>
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<td>4,368</td>
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<td>Finland</td>
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<tr>
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<td>2,384</td>
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<tr>
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<td>401</td>
<td>2,384</td>
<td>6,726</td>
<td>200</td>
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</tr>
<tr>
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</tr>
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<td>6,726</td>
<td>200</td>
<td>3,016</td>
<td>4,368</td>
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<tr>
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<td>401</td>
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<td>6,726</td>
<td>200</td>
<td>3,016</td>
<td>4,368</td>
</tr>
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<tr>
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<tr>
<td>Greece</td>
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<tr>
<td>Hungary</td>
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<td>Ireland</td>
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<td>1,040</td>
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<tr>
<td>Norway</td>
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<tr>
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</tr>
<tr>
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<td>12,000</td>
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<td>39,949</td>
<td>58,949</td>
</tr>
<tr>
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<td>68,000</td>
<td>12,000</td>
<td>1,040</td>
<td>2,949</td>
<td>39,949</td>
<td>58,949</td>
</tr>
<tr>
<td>Sweden</td>
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<td>68,000</td>
<td>12,000</td>
<td>1,040</td>
<td>2,949</td>
<td>39,949</td>
<td>58,949</td>
</tr>
<tr>
<td>Switzerland</td>
<td>280,000</td>
<td>68,000</td>
<td>12,000</td>
<td>1,040</td>
<td>2,949</td>
<td>39,949</td>
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<tr>
<td>Total</td>
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<td>74,034</td>
<td>12,000</td>
<td>1,040</td>
<td>2,949</td>
<td>39,949</td>
<td>58,949</td>
</tr>
</tbody>
</table>
and sold by ascertaining or estimating the value thereof by all reasonable ways and means in his power, any statement of cost or cost of production in any invoice, affidavit, declaration, or other document to the contrary notwithstanding”, and (iii) the customs “collector shall give written notice of appraisement to the consignee [...] if the appraised value is higher than the entered value”. This procedure was meant to avoid invoicing fraud. It is unclear how often and how much appraisers deviated from the value contained in the invoice. It is also unclear that it should bias my estimates in a particular way.

4.3 Samples

Since the bulk of the devaluations happened in 1931, I estimate equation (12) with data for two separate years: 1932 and 1933. The year that serves as the basis for comparison is 1930 in both cases. In each case, the identifying variation lies in the change in the exchange rate between 1930 and the relevant year. Moreover, the panel is made exclusively of countries that devalued in 1931, or had not devalued at the end of the relevant year. For instance, Australia, whose currency depreciated as soon as 1930, is dropped from both panels. Estonia, which devalued in 1933, is kept in the first panel (1932), but kicked out of the second one (1933). Among countries that make it in both panels are of course the United Kingdom (it devalued in 1931) and France (it waited until 1936 to devalue). The point of this procedure is to use as large a panel as possible, while avoiding mixing countries that did not devalue at the same time. Table A.1 in the appendix gives the country list of each sample.\textsuperscript{10} Section C in the appendix contains further details on data construction.

4.4 Results: Elasticity

4.4.1 Baseline

I show the baseline results in panel A of table 4. Columns (1), (2) and (3) respectively feature the results for the reduced form, first stage and instrumented equations using the 1930-32 change. The estimated elasticity of quantity with respect to the exchange rate is 0.910 in 1932, while the price response is -0.460. This means that, thanks to its devaluation of 28\%, Britain increased the

\textsuperscript{10}I noticed only one case where this selection procedure seems to affect the results: Chile in the 1932 weighted specification. Chile officially devalued in 1932 so I do not include it in my sample. However, it set up an export exchange rate whose devaluation started in 1931. By 1933, this exchange rate was so devalued (-75.4\%) that the log-change goes wild and that a few heavily-weighted observations can significantly affect the final result.
quantity of its exports by 26% compared to France that did not; and decreased their average dollar price by 13% compared to French products. The implied elasticity of substitution among foreign varieties, \( \hat{\theta} \), is 2.054. Columns (4), (5) and (6) show the results using the 1930-33 change. The point estimate of the elasticity goes up to 3.084.

Table 4: Elasticity baseline

<table>
<thead>
<tr>
<th></th>
<th>1930-32 change</th>
<th></th>
<th>1930-33 change</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1) (2) (3)</td>
<td>(4) (5) (6)</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>RF FS IV</td>
<td>RF FS IV</td>
<td></td>
<td></td>
</tr>
<tr>
<td>XR</td>
<td>0.910*** -0.443***</td>
<td>1.205*** -0.391***</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.195) (0.081)</td>
<td>(0.143) (0.055)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Elasticity</td>
<td>2.054***</td>
<td>3.084***</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.446)</td>
<td>(0.448)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Observations</td>
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<td>3742 3446 3446</td>
<td>3446</td>
<td></td>
</tr>
<tr>
<td>F-statistic</td>
<td>16.142</td>
<td></td>
<td>13.915</td>
<td></td>
</tr>
</tbody>
</table>

Panel A: Unweighted

Panel B: Weighted

Panel C: Unweighted placebo

Panel D: Weighted placebo

Notes: reduced form (RF), first stage (FS) and instrumented (IV) estimates of equation (12). Standard errors are in parentheses. They are (i) double clustered at the country and product levels, (ii) bootstrapped with 4,000 replications in the unweighted case. F-statistic is the Kleibergen-Paap Wald rk F-statistic of the first stage.

* \( p < 0.10 \), ** \( p < 0.05 \), *** \( p < 0.01 \)
Going down to panel B, I run the same regressions while weighting each product-country pair by its 1930 value. For the quantity regression, this specification corresponds to the change in a quantity index, holding prices constant; while for the price regression, it corresponds to the change in a price index, holding quantity constant. The quantity coefficients are mostly unchanged. The price coefficients go down a bit — though not significantly so — which mechanically raises the point estimate for the price elasticity.

4.4.2 Endogeneity Concerns

Were devaluations exogenous to US demand shocks? To answer this reverse causality concern, I regress pre-devaluation changes in quantity and price on the later change in the exchange rate. To be precise, I estimate equation (12) with the 1929-30 change for $\Delta q_{jt}^k$ and $\Delta p_{jt}^k$, and the 1930-32 and 1930-33 changes for the instrument.

The results of this exercise are presented in panels C and D. None of the quantity coefficients is significantly different from 0. Their sign varies with the specification. The price coefficients are always close to 0. The estimates for the elasticity of substitution are negative. One of the placebo coefficients — column (6) of panel D — is significant at the 10% level. There are 12 regressions so one false positive at that level of confidence is what one should expect when the true coefficients are zero. Moreover, the coefficient is of a different sign than the one for the unweighted placebo, and much smaller than its counterpart of panel B. Most importantly, the point estimates of the elasticity of substitution are all negative while the standard errors explode.

4.4.3 Tariff-Induced Bias

A peculiar feature of inter-war US tariffs may bias my elasticities downward. Indeed, while the US did not raise tariffs selectively against countries that devalued, custom duties on certain products were a fixed levy per physical unit of good. As a consequence, when the dollar price of these products decreased, the effective ad valorem tariff rate increased (Crucini, 1994, Irwin, 1998a). Thus the tariff rate could have been correlated with the exchange rate which would compromise the validity of the instrument.

This point can be formalized by going back to equation (11). It is still valid with tariff if $p_{jt}^k$ is interpreted as the after-tariff price. Unfortunately, I do not directly observe after-tariff prices at
the product-country level.11 Fortunately, I do not need the after-tariff price to infer the elasticity. Indeed, if I break down the price into its before-tariff and tariff components, the equation becomes:

\[
\Delta c_{jk}^{rt} = -\theta \Delta \tilde{p}_{jk}^{rt} + \theta \Delta \left( \tau_{jk}^{rt} + \tilde{p}_{jk}^{rt} \right) + \Delta c_{jk}^{rt} + \Delta \left( \kappa_{jk}^{rt} - \theta \tau_{jk}^{rt} \right)
\]

where \( \tilde{p}_{jk}^{rt} \) is the before-tariff price and \( \tau_{jk}^{rt} \) is the effective tariff rate paid on varieties imported from country \( k \). The equation again features a term that can be absorbed by a product-time fixed effect. But the error term now includes country-specific tariff.

While the US tariff code did not discriminate across countries until 1934,12 the effective tariff rate is not necessarily the same across countries because some products were taxed through a fixed nominal duty, not by a fixed proportional rate. As a result, the effective tariff rate becomes inversely proportional to the price:

\[
1 + \tau_{jk}^{rt} \left( \tilde{P}_{jk}^{rt} \right) \propto \frac{1}{\tilde{p}_{jk}^{rt}}
\]

Which implies that the regression actually identifies:

\[
\theta \left( 1 + \tau_{jk}^{rt} \left( \tilde{P}_{jk}^{rt} \right) \right) < \theta
\]

There is a downward bias in the coefficient.

To quantify the extent of this bias, I re-estimate the elasticity with the same methodology but allowing it to differ for products that are taxed proportionally, and those that are taxed with a fixed nominal duty.13 The results are displayed in table 5. I now pool 1930-1932 and 1930-33 changes in order to present the results in a more compact way. The products taxed with ad-valorem tariff indeed display a higher elasticity, closer to 4 than 3.

11In theory, it should be possible to impute the relevant tariff duty to each product-country pair. In practice, this is impossible to do because the import data is more aggregated than the tariff data, and the tariff data is not broken down by country. As a result, there are several tariff subcategories within a product category as it is defined in the import data, and I do not observe the country information within those subcategories.
12Cuba and the Philippines benefited from preferential treatment but they are excluded from the sample.
13The data on tariff rates was first used by Bond et al. (2013). For the needs of this project, I re-digitized it in collaboration with Acosta and Cox (2021).
### Table 5: Tariff-induced bias

<table>
<thead>
<tr>
<th></th>
<th>Unweighted (1)</th>
<th>Unweighted (2)</th>
<th>Weighted (3)</th>
<th>Weighted (4)</th>
</tr>
</thead>
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<td></td>
<td>All</td>
<td>Ad-valorem</td>
<td>All</td>
<td>Ad-valorem</td>
</tr>
<tr>
<td>Elasticity</td>
<td>2.731***</td>
<td>3.784**</td>
<td>2.964***</td>
<td>4.020**</td>
</tr>
<tr>
<td></td>
<td>(0.358)</td>
<td>(1.619)</td>
<td>(0.938)</td>
<td>(1.689)</td>
</tr>
<tr>
<td>Observations</td>
<td>7042</td>
<td>2912</td>
<td>7042</td>
<td>2912</td>
</tr>
<tr>
<td>F-statistic</td>
<td>17.170</td>
<td>5.890</td>
<td>13.890</td>
<td>8.970</td>
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**Panel A: IV**

**Panel B: OLS**

<table>
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<tr>
<th>Elasticity</th>
<th>1.150***</th>
<th>1.013***</th>
<th>0.878***</th>
<th>0.629*</th>
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</thead>
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<tr>
<td></td>
<td>(0.048)</td>
<td>(0.084)</td>
<td>(0.174)</td>
<td>(0.334)</td>
</tr>
<tr>
<td>Observations</td>
<td>7042</td>
<td>2912</td>
<td>7042</td>
<td>2912</td>
</tr>
</tbody>
</table>

Notes: Observations are unweighted. Standard errors are in parentheses. They are (i) double clustered at the country and product levels, (ii) bootstrapped with 4,000 replications. F-statistics is the Kleibergen-Paap Wald rk F-statistic of the first stage.

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

### 4.4.4 Channel

What matters for the identification of $\theta$ is that devaluation be uncorrelated with US demand shocks. Could it be, however, that devaluation correlates with supply shocks that drive the results? $\theta$ would still be identified but the interpretation of the reduced form results would be different. Exports would not increase because of the change in the exchange rate, but because of other shocks for which the exchange rate is a proxy. The placebo regressions ruled out shocks that would have occurred before 1931, but what about afterwards?

An obvious suspect is the financing channel (Bernanke, 1983, Bernanke and James, 1991). Devaluations certainly correlated with monetary policy loosening, which could have eased firms’ financing conditions and led them to export more. To control for such an effect, I add to the reduced form equation proxies for monetary policy: the change in the discount rate (DR), in money and notes in circulation (M0), and in the deposit to currency ratio (DCR). I show the results in columns (1) and (5) of table 6. In columns (2) and (6), I add the panic variable of Bernanke and James (1991) and the unemployment rate (UR). The results stay the same.

I then go on to various robustness checks. In columns (3) and (7), I instrument the exchange rate with a devaluation dummy. In columns (4) and (8), I interact it with a dummy (XC) that
takes value 1 if the country implemented exchange controls. While the coefficient can go down in
the 1930-32 columns — though not significantly so — it remains around 1 in the 1930-33 columns.

Table 6: Robustness

<table>
<thead>
<tr>
<th></th>
<th>1930-32 change</th>
<th>1930-33 change</th>
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</thead>
<tbody>
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<td></td>
<td>(1)</td>
<td>(2)</td>
</tr>
<tr>
<td>XR</td>
<td>0.844***</td>
<td>0.759**</td>
</tr>
<tr>
<td></td>
<td>(0.254)</td>
<td>(0.353)</td>
</tr>
<tr>
<td>DR</td>
<td>−27.144***</td>
<td>−18.616</td>
</tr>
<tr>
<td>M0</td>
<td>−0.825**</td>
<td>−1.703**</td>
</tr>
<tr>
<td></td>
<td>(0.371)</td>
<td>(0.825)</td>
</tr>
<tr>
<td>DCR</td>
<td>−0.051</td>
<td>−0.582</td>
</tr>
<tr>
<td></td>
<td>(0.280)</td>
<td>(0.396)</td>
</tr>
<tr>
<td>Panics</td>
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</tr>
<tr>
<td></td>
<td>(0.013)</td>
<td></td>
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<tr>
<td>UR</td>
<td>−0.010*</td>
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</tr>
<tr>
<td></td>
<td>(0.006)</td>
<td></td>
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<tr>
<td>XC=0 × XR</td>
<td>0.505**</td>
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</tr>
<tr>
<td></td>
<td>(0.249)</td>
<td></td>
</tr>
<tr>
<td>XC=1 × XR</td>
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<tr>
<td></td>
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<tr>
<td>XC</td>
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<td></td>
<td>(0.094)</td>
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</tr>
<tr>
<td>Observations</td>
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<td>2349</td>
</tr>
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</table>

Notes: In columns (1), (2), (5) and (6), I estimate: \( \Delta c_{it}^{u,j} = \beta \Delta x_{it}^{u,j} + \zeta' X_{jt} + \mu_{it} + e_{it}^{u,j} \), where \( X_{jt} \) are the various controls shown in the table. In columns (3) and (7), I instrument the exchange rate with a dummy for whether the country devalues or not. In columns (4) and (8), I estimate: \( \Delta c_{it}^{u,j} = \beta \Delta x_{it}^{u,j} \times XC_{it} + XC_{it} + \mu_{it} + e_{it}^{u,j} \) where \( XC_{it} \) is a dummy which takes value 1 if the country implemented exchange controls. The sample of countries varies with data availability. Observations are unweighted. Standard errors are in parentheses. They are (i) double clustered at the country and product levels, (ii) bootstrapped with 4,000 replications. F-statistic is the Kleibergen-Paap Wald rk F-statistic of the first stage.

* \( p < 0.10 \), ** \( p < 0.05 \), *** \( p < 0.01 \)

Overall, table 6 suggests that the estimated substitution occurs because of the change in the exchange rate, not because of other shocks for which the exchange rate is a proxy.

4.4.5 Heterogeneity

So far, I restricted all goods to have the same elasticity. I relax this assumption here by allowing the elasticities to differ across 10 product categories. These product categories are those that are distinguished by the *Foreign Commerce and Navigation of the United States*: animal, vegetable edible, vegetable inedible, textiles, wood and paper, nonmetallic minerals, metals and manufactures, machinery and vehicles, chemicals and miscellaneous. To gain statistical power, I now group both the 1930-32 and 1930-33 changes.
Table 7: Heterogeneity

<table>
<thead>
<tr>
<th>Category</th>
<th>RF (1)</th>
<th>FS (2)</th>
<th>IV (3)</th>
<th>FS (4)</th>
<th>IV (5)</th>
<th>IV (6)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Animal products</td>
<td>1.165*** (0.348)</td>
<td>-0.192** (0.087)</td>
<td>6.079 (5.506)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Vegetable edible</td>
<td>1.296*** (0.416)</td>
<td>-0.527*** (0.140)</td>
<td>2.460*** (0.760)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Vegetable inedible</td>
<td>0.509 (0.555)</td>
<td>-0.343 (0.238)</td>
<td>1.486 (1.991)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Textiles</td>
<td>1.294*** (0.252)</td>
<td>-0.505*** (0.096)</td>
<td>2.564*** (0.749)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Wood and paper</td>
<td>0.387 (0.494)</td>
<td>-0.562*** (0.157)</td>
<td>0.688 (0.762)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Nonmetallic minerals</td>
<td>0.850 (0.665)</td>
<td>-0.550** (0.217)</td>
<td>1.545 (1.019)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Metals and manufactures</td>
<td>1.638*** (0.421)</td>
<td>-0.352 (0.236)</td>
<td>4.656 (5.432)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Machinery and vehicles</td>
<td>2.338** (1.078)</td>
<td>-0.879 (0.658)</td>
<td>2.659 (37.815)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Chemicals</td>
<td>1.394*** (0.410)</td>
<td>-0.320* (0.165)</td>
<td>4.358 (7.004)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Miscellaneous</td>
<td>1.342*** (0.459)</td>
<td>-0.691*** (0.243)</td>
<td>1.941 (1.510)</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Notes: Reduced form (RF), first stage (FS) and instrumented (IV) estimates of equation (12), where coefficients are allowed to differ across categories. Observations are unweighted. Standard errors are in parentheses. They are (i) double clustered at the country and product levels, (ii) bootstrapped with 4,000 replications. P-value is the p-value for a test of equality of elasticities across product categories.

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$

I show the results in table 7. Point estimates vary widely, but confidence intervals are large, so that no obvious pattern emerge. In column (3), I show the p-value associated to a test of the equality of elasticities across product categories. The null cannot be rejected. Again, whether this is because the elasticities are truly equal, or because the data is too noisy is unclear. Table 7 makes clear, however, that the previous results are not driven by a single class of products. Each category, in both years, shows the same pattern: a positive coefficient for quantity, and a negative one for prices.

4.4.6 An International Elasticity Puzzle?


Various explanations have been proposed. Ruhl (2008), who coined the term ”international elasticity puzzle”, emphasized that there is a fixed cost to entering export markets. Hence trade
flows are not very responsive to transitory variations, which are typically used to estimate macro elasticities. On the other hand, they respond a great deal to permanent changes, like tariffs, which are often the source of identifying variation in the trade literature. A second explanation would be that differences reflect the level of aggregation of the data. Broda and Weinstein (2006) show that using broader categories of goods can substantially lower the elasticity. Imbs and Méjean (2015) argue that the discrepancy can be explained by aggregation biases stemming from heterogeneity in elasticities. Feenstra et al. (2018) propose a third explanation: that these two literatures do not estimate the same parameters. The macro literature estimates the elasticity of substitution between imports and domestic goods, while the trade literature estimates elasticities of substitution between the goods of different foreign countries.

Judging by my estimates, there is no puzzle. Since I have about a thousand product categories, the equivalent level of aggregation in modern data is SITC-5. The medians reported by Broda and Weinstein for this level of aggregation are 2.8 and 2.7, which fall within the 2–3 range that I estimate. Their means are higher but, as they remark, they tend to be overly sensitive to a few extremely elastic goods. The source of variation that I am using is transitory: while the change in the nominal exchange rate may be permanent, prices adjust over the medium run, offsetting gains in competitiveness. Therefore, my siding with the trade literature would go against the fixed cost explanation (Ruhl, 2008).

I cannot discriminate between the second (Broda and Weinstein, 2006, Imbs and Méjean, 2015) and third (Feenstra et al., 2018) explanations with those results alone. The outcome of the structural estimation, however, favors the latter for two reasons. First, I manage to account for the behavior of aggregate exports with the elasticity estimated in micro data: aggregation does not seem to matter here. Second, that aggregate imports’ response is muted while aggregate exports jump up is at least suggestive of more elastic exports. Indeed, I will find that a low elasticity between imports and domestic goods is important to account for the behavior of aggregate imports.
4.5 Results: Pass-Through

4.5.1 Empirical Results

The coefficients of columns (2) and (5) of table 4 are not exactly comparable to standard pass-through estimates. Indeed, that literature usually adds a control like the price level to proxy for marginal cost (Burstein and Gopinath, 2014). Thus, to estimate pass-through, I now run:

\[ \Delta \tilde{p}_{jt} = \alpha \Delta x_{jt} + \beta \Delta wpi_k + \nu_{jt} + \epsilon_{jt} \]

(14)

where \( wpi_k \) the logarithm of the wholesale price index in the country of origin.

I show the results in table 8. The pass-through estimates are around 0.4. This number is similar to those reported by Burstein and Gopinath (2014).

<table>
<thead>
<tr>
<th></th>
<th>1930-32 change</th>
<th>1930-33 change</th>
</tr>
</thead>
<tbody>
<tr>
<td>XR</td>
<td>-0.370***</td>
<td>-0.491***</td>
</tr>
<tr>
<td></td>
<td>(0.104)</td>
<td>(0.176)</td>
</tr>
<tr>
<td>WPI</td>
<td>-0.279</td>
<td>0.417</td>
</tr>
<tr>
<td></td>
<td>(0.244)</td>
<td>(0.353)</td>
</tr>
<tr>
<td>Observations</td>
<td>3592</td>
<td>3592</td>
</tr>
</tbody>
</table>

Notes: Standard errors are in parentheses. They are (i) double clustered at the country and product levels, (ii) bootstrapped with 4,000 replications in the unweighted case.

* \( p < 0.10 \), ** \( p < 0.05 \), *** \( p < 0.01 \)

4.5.2 Identification

Equation (7) makes clear that, if I were equipped with a proper control for marginal cost, I could identify \( 1 - \zeta_1 - \zeta_2 \) by regressing \( p_{jt}^{\epsilon_k} \) on the exchange rate, that control and a time fixed effect with the data of section 4. Since marginal cost is hard to observe, the standard approach — which I followed in section 4.5 — is to use the price level as a proxy. It turns out this control is not entirely valid in this model. As a matter of fact, the producer price index — which I interpret as the model...
equivalent of the wholesale price index — is given by:

\[ p_t^{kk} = (1 - \delta \bar{\Gamma})mc_t^k + \delta \bar{\Gamma} \int_m (mc_t^m - xr_t^{mj}) \, dm + \delta \bar{\Gamma}xr^{kj} \]  

(15)

The first term is the desired variation, the second term — which accounts for the marginal cost of foreign producers — does not depend on \( k \) and can be absorbed by a time fixed effect. The third term is problematic because it depends on the exchange rate. This means that the movement in the marginal cost will be overestimated, hence that pass-through will be overestimated. This bias is likely to be small since \( \bar{\Gamma} \) is the coefficient of openness (0.1 in my calibration) and \( \delta \), the strategic complementarity between domestic and foreign producers, is less than 1. Formally, I prove in the appendix that:

**Proposition 2 (Pass-through)** The pass-through regression (14) featuring the wholesale price index and tariffs revenues as controls identifies:

\[ \hat{\alpha} = -\frac{1 - \zeta_1 - \zeta_2}{1 - \delta \bar{\Gamma}} \]

Moreover, \( \zeta_1 \), \( \zeta_2 \) and \( \delta \) are tied together by the elasticity of markups, \( \bar{m} \):

\[
\zeta_1 = \frac{\bar{m}(1 - \rho/\theta)}{1 + \bar{m}} \quad \zeta_2 = \frac{\bar{m}\rho/\theta}{1 + \bar{m}} \quad \delta = \frac{\bar{m}\rho}{\theta + \bar{m}\rho}
\]

where: \( \bar{m} = \bar{m}'/(\theta - 1) \).

To understand proposition 2, it is useful to, once again, go back to the CES benchmark. With CES demand, markups are constant so \( \bar{m} \), the elasticity of markups, is 0. In that case, the pass-through is just 1. As markups become elastic, the true pass-through \( (1 - \zeta_1 - \zeta_2) \) declines and the bias \( (1/(1 - \delta \bar{\Gamma})) \) increases. So \( \hat{\alpha} \) moves away from -1. Proposition 2 also makes clear that, given \( \rho \), \( \theta \) and \( \bar{\Gamma} \), the pass-through regression pins down \( \bar{m} \), from which one can recover \( \zeta_1 \), \( \zeta_2 \) and \( \delta \).

To summarize section 4, I have used granular trade data to estimate an elasticity and a pass-through coefficient. Those will be key in disciplining expenditure switching in the model. I now go back to the model, and close it by presenting its dynamic side.
5 Model: Dynamics

5.1 Monetary Policy

The central bank commits to buy and sell gold at price $\mathcal{E}_t^j$, and it issues money in proportion of its gold reserves:

$$\Lambda M_t^j = \mathcal{E}_t^j G_t^j$$

(16)

$\Lambda$ is the gold cover ratio, which is assumed to be constant for now. Gold is in fixed supply at the world level, and can only be held for monetary purposes. As a result, the world supply of money depends only on the price of gold, up to a first-order approximation:

$$\int_j m_t^j \text{d}j = \int_j c_t^j \text{d}j$$

(17)

The exchange rate between countries $j$ and $k$ is pinned down by arbitrage at the relative price of gold:

$$XR_{kj}^t = \frac{\mathcal{E}_t^k}{\mathcal{E}_t^j}$$

(18)

Otherwise, households could buy gold where it is cheap, sell it where it is expensive and make a risk-free profit on the exchange rate market. In log-linear terms, this can be written as: $x_{r_{kj}}^t = \epsilon_t^k - \epsilon_t^j$. Since there is free capital mobility, uncovered interest rate parity holds to a first order: $i_t^j = i_t^k - E_t \Delta x_{r_{kj}}^t$. As long as the gold standard is credible ($E_t \Delta x_{r_{kj}}^t + 1 = 0$), all central banks have the same interest rate.

To induce stationarity, I follow Schmitt-Grohé and Uribe (2003) and assume that the interest rate earned by households slightly depends on the level of bonds owned by the country:

$$i_t^j = i_t^W - \nu b_t^j$$

where $\nu$ is strictly positive but close to 0.
5.2 Rest of the Model

In each country, the representative household derives utility from consumption with internal habits, and money holdings. These assumptions yield an Euler equation and a demand for money:

\[ \hat{\mu}_t^j = E_t \hat{\mu}_{t+1} + \hat{i}_t^j - E_t \pi_{ct+1} \quad (19) \]
\[ \hat{i}_t^j = \frac{1 - \beta}{\beta^2} \left( -\chi (m_t^j - \hat{\mu}_t^j) - \hat{\mu}_t^j \right) \quad (20) \]

where \( \hat{\mu}_t^j \) is the marginal utility of consumption, \( \hat{i}_t^j \) is the nominal interest rate, \( \pi_t^j \) inflation, and \( m_t^j \) the money stock. The world interest rate can obtained by integrating over countries in the money demand and substituting out the world money supply thanks to equation (17):

\[ \hat{i}_t^W = \frac{1 - \beta}{\beta^2} \left( \chi \int_j (\hat{p}_t^j - \epsilon_t^j) \, dj - \int_j \hat{\mu}_t^j \, dj \right) \quad (21) \]

Each firm produces output with only labor as an input:

\[ Y_t^j (f) = f(N_t^j (f)) \]

Therefore, marginal cost and aggregate output are, in log-linear terms:

\[ mc_t^j = w_t^j + \frac{\alpha_1}{1 - \alpha_2} \hat{y}_t^j \quad (22) \]
\[ \hat{y}_t^j = (1 - \alpha_2) \hat{n}_t^j \quad (23) \]

where:

\[ \alpha_1 \equiv \frac{\bar{N} f''(\bar{N})}{f'(\bar{N})} \quad \alpha_2 \equiv 1 - \frac{\bar{N} f'(\bar{N})}{f(\bar{N})} \]

\( \alpha_1 \) is the curvature of the production function. \( \alpha_2 \) would be the profit share under competitive markets. In the Cobb-Douglas case, of course, \( \alpha_1 \) and \( \alpha_2 \) are equal. Assuming this more general production function will allow me, in the calibration, to match the behavior of producer prices by adjusting \( \alpha_1 \).

\(^{14}\)Once again, formal derivations are relegated to the appendix.
Wages are set à la Calvo, which yields a New Keynesian wage Phillips curve:

$$\pi^j_{wt} = \beta E_t \pi^j_{w(t+1)} + \kappa y^j_t - \kappa \hat{\mu}^j_t + \kappa (w^j_t - p^j_t)$$

(24)

Now that the static and dynamic sides of the model have been presented, I can estimate it and run counter-factual experiments.

6 Structural Estimation and Counterfactual Analysis

6.1 Structural Estimation

6.1.1 Strategy

I simulate an unexpected devaluation in half of the world, and estimate 6 parameters by matching a set of empirical moments. Devaluation is modeled as exogenous. While I took endogeneity seriously in the empirical part, the goal of this theoretical exercise is not to model endogenous devaluation, but to infer the effect of a devaluation, for given economic conditions. Although the results are cast in terms of deviations from steady state, the linearity of the model guarantees that they can be interpreted as deviations from any set of fundamentals.

Following standard practice in the estimation of general equilibrium models, I calibrate some parameters with standard values from external sources (table 9), and estimate those that are essential to match the empirical moments.

I estimate 4 parameters, $\sigma^{-1}$, $\alpha_1$, $\xi$ and $\rho$, with the impulse response functions of industrial production, the wholesale price index, nominal wages, imports, and the import price index. $\sigma^{-1}$ is the inter-temporal elasticity of substitution (IES). In this environment, a devaluation is a proportional increase in the money supply. This stimulates domestic demand by lowering the real interest rate. So it is natural to adjust the IES in order to match the relative response of output. $\alpha_1$ is the curvature of the production function. Equation (22) shows that it controls the response of marginal cost to output for a given nominal wage. Since marginal costs cannot be observed, their closest equivalent is the producer price index, as equation (15) suggests. So I adjust $\alpha_1$ to match the response of wholesale prices. $\xi$ is the Calvo parameter for wages. I adjust it to match

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15See Christiano et al. (2005) or Auclert et al. (2020) for instance.
the response of nominal wages. Finally, $\rho$ is the elasticity of substitution between domestic goods and imports. I target the response of imports, and of import prices.

I estimate 2 parameters, $\theta$ and $\bar{m}$, in order to match the estimates of section 4. By proposition 1, the elasticity of substitution among foreign varieties, $\theta$, was estimated in table 4. By proposition 2, the pass-through regression recovers $\bar{m}$ for given $\rho$, $\theta$ and $\bar{\Gamma}$. I use the point estimates and standard deviations of the 1930-33 change in the unweighted case.

In section 3, I introduced the three parameters that determine the strength of expenditure switching: $\rho$, $\theta$, and $\bar{m}$. In section 4, I explained how $\theta$ and $\bar{m}$ are identified. Let me now focus on $\rho$. Looking back at equation (5), the demand for imports is a function of two terms: the import price index (IPI) relative to that of domestic consumption (CPI), scaled by the elasticity ($\rho$), and domestic consumption: the cheaper imports are, the more a country imports; the more a country

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
<th>Concept</th>
<th>Target or source</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\beta$</td>
<td>0.99</td>
<td>Discount rate</td>
<td>Annual interest rate of 4%</td>
</tr>
<tr>
<td>$\nu$</td>
<td>0.8</td>
<td>Habit</td>
<td>Eggertsson (2008)</td>
</tr>
<tr>
<td>$\chi$</td>
<td>1</td>
<td>Concavity of utility for money</td>
<td>Standard</td>
</tr>
<tr>
<td>$\gamma$</td>
<td>0.1</td>
<td>Openness</td>
<td>British export-to-GDP ratio</td>
</tr>
<tr>
<td>$\alpha_2$</td>
<td>0.37</td>
<td>Profit share</td>
<td>Labor share of 2/3</td>
</tr>
<tr>
<td>$\eta$</td>
<td>21</td>
<td>Elasticity of labor demand</td>
<td>Christiano et al. (2005)</td>
</tr>
<tr>
<td>$\upsilon$</td>
<td>0.0007</td>
<td>Stationarity-inducing device</td>
<td>Schmitt-Grohé and Uribe (2003)</td>
</tr>
<tr>
<td>$g^*$</td>
<td>0.14</td>
<td>Gold to output ratio</td>
<td>British gold-reserves-to-GDP ratio</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
<th>Concept</th>
<th>Source</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\sigma^{-1}$</td>
<td>0.64 (0.22)</td>
<td>IES</td>
<td>Industrial production</td>
</tr>
<tr>
<td>$\alpha_1$</td>
<td>0.55 (0.26)</td>
<td>Curvature of production function</td>
<td>WPI</td>
</tr>
<tr>
<td>$\xi$</td>
<td>0.9 (0.03)</td>
<td>Calvo wage parameter</td>
<td>Nominal wages</td>
</tr>
<tr>
<td>$\rho$</td>
<td>0.51 (0.13)</td>
<td>Macro trade elasticity</td>
<td>Imports and IPI</td>
</tr>
<tr>
<td>$\theta$</td>
<td>3 (0.19)</td>
<td>Micro trade elasticity</td>
<td>US imports</td>
</tr>
<tr>
<td>$\bar{m}$</td>
<td>1.59 (0.29)</td>
<td>Markup elasticity</td>
<td>Pass-through</td>
</tr>
</tbody>
</table>
consumes, the more it imports. Playing with this equation, I can express $\rho$ as:

$$
\rho = -\frac{c_t^D - c_t^N - (c_t^D - c_t^N)}{p_t^D - p_t^N - (p_t^D - p_t^N)}
$$

(25)

Superscripts $D$ and $N$ respectively denote devaluing and non-devaluing countries. Equation (25) means that what is informative about $\rho$ is the relative response of imports ($c_t^D - c_t^N$) compared to the relative response of domestic consumption ($c_t^D - c_t^N$), versus the relative response of import prices ($p_t^D - p_t^N$) compared to the relative response of the domestic price index ($p_t^D - p_t^N$). Intuitively, for any given response of consumption and prices, a low response of imports is suggestive of a low elasticity of substitution.

### 6.1.2 Results

I report here the results where I target the DD-IV estimates as empirical targets. Results where I use the HFI ones are in the appendix.\(^{16}\) I simulate the model at quarterly frequency with the devaluations happening in the last quarter of 1931. I then aggregate the simulated data over years to obtain regression coefficients that are consistent with the empirical ones.

Formally, I assume that before time 0, the economy is in steady state. At time 0, half of the world experiences a sequence of unexpected cuts in the gold content of their currencies, $\Delta \epsilon_j > 0$. In order to reproduce the path of the exchange rate shown in the bottom right panel of figure 2, I assume that some unexpected shocks keep hitting the economy. The value of the shocks is set to minimize the distance with the empirical response of the exchange rate. An alternative route would be to assume that the whole path is expected from time 0 onward. The issue is that, through uncovered interest rate parity, this implies that the nominal interest rate shoots up in devaluing countries, which did not happen.

I estimate the model by the simulated method of moments (SMM). Technical details are relegated to appendix section E. The estimation yields values for $\sigma^{-1}$ and $\alpha_1$ that are very close to conventional one. $\sigma^{-1}$ is 0.56, the most commonly used values in calibration exercises being 1/2. $\alpha_1 = 0.54$ implies a slight departure from a Cobb-Douglas production function, but not a very significant one — $\alpha_1 = \alpha_2 = 0.37$ would be the Cobb-Douglas case. Compared to the Cobb-Douglas

\(^{16}\)See figures A.5, A.6 and table A.5.
case, $\alpha_1 > \alpha_2$ makes marginal cost more elastic to output. $\xi = 0.9$ implies very stick wages, with a mean duration of 10 quarters. This is the price of matching the data: 4 years after the devaluation, the pass-through of the exchange rate to nominal wages was only 20%. $\rho = 0.51$ is low but not out of line with other estimates, especially when considering the large confidence interval. For instance, using data from that period, Irwin (1998b) estimates an elasticity of 0.8.

Figure 5 shows the fit of the model for real and nominal variables. For the reader’s convenience, targeted IRF are circled in red and denoted "targ."; untargeted IRF are circled in green and denoted "unt."; implicitly targeted IRF are circled in blue and denoted "imp.". By implicitly targeted, I mean that the variable is a function of variables that have been targeted. For instance, real wages are nominal wages divided by the price index. Since both are targeted, real wages are implicitly targeted. The model is able to match the cross-country evidence well. The fit is particularly good for wholesale prices and nominal wages. Even moments that I have not targeted, real exports and the export price index, are decently predicted.

6.2 Counterfactual Experiment

Armed with these parameter values, I can now answer the counterfactual questions of interest: how did devaluation affect countries which devalued, and countries which didn’t? I consider a simple scenario: the world economy is in steady state; at time 0, half of the world devalues by 30% against gold.

Figure 6 illustrates that, in the current calibration, a foreign devaluation makes little quantitative difference for output (left-hand side panel). It lowers output for a few quarters but this effect is small and quickly dissipates. The explanation lies on the right-hand side panel. The devaluation entails a powerful real interest rate cut in countries that devalue. Through inter-temporal substitution, this cut stimulates consumption hence output. Beggar-thy-neighbour effects are dwarfed by this stimulus: the devaluation makes some countries more competitive, but those same countries consume more. On balance, the two effects compensate each other.

An equivalent way to state the conclusion is that the absolute effect is not very different from the relative effect. Britain was doing better than France mostly because Britain was doing better than it would have if it hadn’t devalued, not because France was doing worse.
Figure 5: Model fit (DD-IV)

Note: empirical and theoretical responses of relevant variables under estimated parameter values. The response circled in red (tgt.) are explicitly targeted. Those circled in green (unt.) are not. Those circled in blue (imp.) are implicitly targeted since they are functions of targeted moments.
6.3 Identification

What, in the data, identifies the model, and determines the result? To understand it, I denote devaluing countries, non-devaluing countries, and world-level variables with superscripts $D$, $N$, and $W$. Up to a first-order approximation, the effect of a devaluation by a mass $S^D$ of countries, can be written as

devaluing countries: $\hat{y}_t^D = (1 - S^D) (\hat{y}_t^D - \hat{y}_t^N) + \hat{y}_t^W$ (26)

non-devaluing countries: $\hat{y}_t^N = -S^D (\hat{y}_t^D - \hat{y}_t^N) + \hat{y}_t^W$ (27)

Those formulas do not depend on the details of the model — they’re an immediate implication of symmetry and linearity. They are another way to express the identification problem: the term that
features $\hat{y}_t^D - \hat{y}_t^N$ is pinned down by cross-sectional evidence, but $\hat{y}_t^W$ is common across countries and soaked up by the time fixed effect. In so far as the model matches the relative effect, its conclusion is as good as the estimated effect on world-level output.

As table 9 showed, I estimate 6 parameters to match the cross-sectional evidence:

1. $\sigma^{-1}$: the inter-temporal elasticity of substitution (IES);
2. $\xi$: the Calvo parameter for wages;
3. $\alpha_1$: the curvature of the production function, which determines how sensitive prices are to changes in output;
4. $\rho$: the elasticity of substitution between imports and domestic goods;
5. $\theta$: the elasticity of substitution among imports;
6. $\bar{m}$: the elasticity of the markup, which determines the exchange rate pass-through.

One can show analytically that the last three do not matter to world-level variables. The explanation is simple: those parameters are about substitution and strategic complementarity, hence only affect relative quantities and prices. On the other hand, the first three parameters matter. I focus on the first two here.\textsuperscript{17} Intuitively, they correspond to how powerful monetary policy is: how sensitive demand is to real interest rates, how sticky wages are...

Figure 7.A shows the response of world output as a function of $\sigma^{-1}$ and $\xi$. This response is computed as the mean increase in world output over the three years that follow a devaluation by half of the world. Darkest shades correspond to a bigger effect. The higher $\sigma^{-1}$ and $\xi$, the bigger the effect. Indeed, a higher $\sigma^{-1}$ means that consumption is more sensitive to a given cut in the real interest rate; a higher $\xi$ means that wages are more sticky, hence nominal quantities adjust more slowly, and the real rate stays low for longer. The red line corresponds to the $(\sigma^{-1}, \xi)$ pairs that imply no effect on non-devaluing countries (the neutral line). The red dot is the estimate that serves as basis for the counter-factual experiments. It lands to the southwest of the red line, which explains why there is a negative effect on non-devaluing countries output.

What, in the data, nails the red dot? Figure 7.B shows all combinations of $\sigma^{-1}$ and $\xi$ that imply the observed effect on output in devaluing countries relative to non-devaluing ones (the black line), and nominal wages in devaluing countries relative to non-devaluing ones (the gray line). The output line is downward-sloping because a higher $\sigma^{-1}$ or a higher $\xi$ act in the same direction: they

\textsuperscript{17}See figure A.7 for similar pictures about the third one.
Figure 7: Identification

Panel A: Response of World Output as a function of $\sigma^{-1}$ and $\xi$

Note: panel A shows the response of world output over three years as a function of the inter-temporal elasticity of substitution ($\sigma^{-1}$) and the Calvo wage parameter ($\xi$). The darker the color, the bigger the effect on world output. The red dot corresponds to the ($\sigma^{-1}, \xi$) pair returned by the estimation. The red line draws the ($\sigma^{-1}, \xi$) pairs which imply no effect on non-devaluing countries' output. Panel B shows how the estimated moments pin down the two parameters: the black line is the ($\sigma^{-1}, \xi$) pairs which imply the observed relative effect on output, the gray line the ($\sigma^{-1}, \xi$) pairs which imply the observed relative effect on nominal wages. The intersection of the two lines corresponds to the red dot in panel A.
Figure 8: Identification: complete pass-through

Panel A: Response of World Output as a function of $\sigma^{-1}$ and $\xi$

Panel B: Identification of $\sigma^{-1}$ and $\xi$

Note: see note for figure 7. In panel A, the blue triangle is the $\langle \sigma^{-1}, \xi \rangle$ pair that matches the relative effects on output and wages, assuming full pass-through. This pair is pinned down by the intersection of the two dotted lines in panel B.
raise relative output in devaluing countries. The intuition for why they do so is the same as that for world output: the higher these parameters, the less neutral money is. Since monetary stimulus happens in one type of countries but not in the other, a less neutral world means a bigger relative effect. As $\sigma^{-1}$ and $\xi$ act in the same direction, achieving a given relative response of output with a higher $\sigma^{-1}$ requires a lower $\xi$. Relative wages effectively pin down $\xi$: the higher $\xi$, the faster wages adjust.

Was the work involving the granular trade data any useful? After all, the arguments invoked on figure 7 do not make any mention of the trade parameters. Perhaps matching relative output is sufficient. No, it’s not. The position of the two lines on figure 7.B depends on those parameters. Figure 8.B shows what happens with complete pass-through ($\bar{m} = 0$). The solid black line moves to the left, becoming the dashed black line. Indeed, complete pass-through implies more responsive trade. Therefore, to obtain a given response of output, consumption needs to be less responsive, implying a lower $\sigma^{-1}$. Additionally, the solid gray line slightly moves up, becoming the dashed gray line. As a result, the estimated $\sigma^{-1}$ goes down. The relevant point on figure 7.A becomes the blue triangle. Since $\sigma^{-1}$ is lower, the stimulus on world output is smaller by more than 2 percentage points. Therefore, the effect on non-devaluing countries is more negative by the same amount (figure A.8).

7 A Sufficient Statistics Approach

In this section, I relax the assumptions made on money demand and supply in section 5. To do so, I develop a sufficient statistics approach and bring additional evidence on the effect of devaluation on the world real rate. This exercise shows that my main conclusion is robust to a more general framework.

7.1 Theoretical Result

Consider again equations (26–27), which I reproduce here for convenience:

\[
\begin{align*}
\text{devaluing countries:} & \quad \hat{y}_t^D = (1 - S^D) \left( \hat{y}_t^D - \hat{y}_t^N \right) + \hat{y}_t^W \\
\text{non-devaluing countries:} & \quad \hat{y}_t^N = -S^D \left( \hat{y}_t^D - \hat{y}_t^N \right) + \hat{y}_t^W
\end{align*}
\]
y is output in devaluing countries (D), non-devaluing countries (N), and at the world level (W). $S^D$ is the mass of countries that devalue. In the model, $\hat{y}_t^W$ is pinned down by the path of world real interest rates. This is an implication of iterating forward in the Euler equation. For instance, without habits ($\iota = 0$), world output can be simply written as:

$$\hat{y}_t^W = -\sigma^{-1} \sum_{s=0}^{\infty} E_t \hat{r}_{t+s}^W$$

The presence of habits ($\iota > 0$) slightly complexifies the formula but does not alter its main intuition:

$$\hat{y}_t^W = -\sigma^{-1} \frac{(1 - \iota)(1 - \beta \iota)}{(1 - \iota L)(1 - \beta L^{-1})} \sum_{s=0}^{\infty} E_t \hat{r}_{t+s}^W$$

(28)

where $L$ is the lag operator.

As I discussed in section 6.3, equations (26–27) show that the effect on devaluing countries’ ($\hat{y}_t^D$) and non-devaluing countries’ ($\hat{y}_t^N$) output can be decomposed into the relative effect ($\hat{y}_t^D - \hat{y}_t^N$) and the effect on world output ($\hat{y}_t^W$). Since the model matches the relative effect on output, its predictions for $\hat{y}_t^D$ and $\hat{y}_t^N$ are as good as its prediction for $\hat{y}_t^W$. Equation (28) now makes clear that this prediction depends on how sensitive consumption is to real interest rates through $\sigma^{-1}$ and $\iota$, and the path of the world real rate.

Taken together equations (26–28) show that knowing $\sigma$, $\iota$, $\hat{y}_t^D - \hat{y}_t^N$ and the path of $\hat{r}_t^W$ is enough to answer the question of interest. I formalize this statement in the following proposition:

Proposition 3 (Sufficient statistics) $\sigma$, $\iota$, $\hat{y}_t^D - \hat{y}_t^N$ and the path of $\hat{r}_t^W$ are sufficient statistics for $\hat{y}_t^D$ and $\hat{y}_t^N$ in devaluing and non-devaluing countries.

7.2 Effect on the World Real Interest Rate

Proposition 3 established that the path of the real rate is key to the result. A model where devaluation is not expansionary at the world level would imply that devaluation is purely a zero-sum game. A necessary condition for the main result of the paper to be true is that devaluation be expansionary at the world level.

---

See the appendix for a complete proof.

This is what happens in Caballero et al. (2021). In their environment, the world is at the zero-lower bound and exchange rate depreciation does not lead to any change in the world real interest rate.
I provide empirical discipline on devaluations’ effect on the world real interest rate. Empirically, constructing a world real interest rate is challenging. To do so, I gather data on the real rate of as many countries as possible and compute a weighted index of their real rate:

\[ 1 + r^W_t = \prod_{n=1}^{N} \left( 1 + r^i_t \right)^{w_n} \]

The weights \( w_n \) are given by their weighted share in world GDP in 1929. Those countries account for about 60% of world GDP.\(^{20}\)

To identify the effect of the devaluations on the world real rate, I use the high-frequency shocks of section 2.2. Indeed, those shocks are identified time series shocks. They are valid to infer causal effects in the time series. To do so, I estimate:

\[ r^W_{t+k} - r^W_{t-1} = \beta_k (\epsilon^W_t - \epsilon^W_{t-1}) + \gamma'_k X^W_{t-1} + \zeta_k + \epsilon_{t,k} \]  

(29)

where \( \epsilon^W_t - \epsilon^W_{t-1} \) is instrumented with a weighted average of the high-frequency shocks. \( \epsilon^W_t \) is the weighted average of nominal prices of gold in national currencies, i.e. the world exchange rate against gold. The weights are the same as those used to construct the real rate index.

I show the result in figure 9. I present results using the wholesale (WPI) and consumer (CPI) price indices. Although the IRF is estimated with noise, it indicates that the real rate falls over the estimable horizon. Since it is the sum of future real rates which appears in equation (28), I formally compute the average of the \( \beta_k \), for \( 0 \leq k \leq 12 \), in table 10. Like in section 2.2, I compute that average (column 1), the same average for the spot exchange rate (2), and the ratio of the two (3). These objects are all negative and significant at the 1% level. The coefficients are semi-elasticities. The scale is easiest to interpret in column (3). It means that a devaluation leading to an average depreciation of 15% (against gold) implies a cut of more than 500 basis points (0.35 \times 0.15 or 0.41 \times 0.15), on average, over 3 years — a substantial expansion, to say the least.

\(^{20}\)Those countries are listed in table A.1. In figure A.9 and table A.6, I weight countries by their share in world trade instead of GDP.
Figure 9: Effect on the world real rate

Note: response of relevant variable to an exogenous 100 log-points devaluation in the exchange rate. Formally, the plots show the estimate of $\beta_k$ in equation (29). The black line is the point estimate; the gray area is the 95% confidence interval with Driscoll-Kraay standard errors. The number in parenthesis is the p-value of a test of the joint significance of the coefficients.

Table 10: Effect on the world real rate

<table>
<thead>
<tr>
<th>(1) Numerator</th>
<th>(2) Denominator</th>
<th>(3) Ratio</th>
</tr>
</thead>
<tbody>
<tr>
<td>Real rate (WPI)</td>
<td>$-0.805^{***}$</td>
<td>$2.298^{***}$</td>
</tr>
<tr>
<td>$(0.252)$</td>
<td>$(0.371)$</td>
<td>$(0.095)$</td>
</tr>
<tr>
<td>Real rate (CPI)</td>
<td>$-0.738^{***}$</td>
<td>$1.821^{***}$</td>
</tr>
<tr>
<td>$(0.248)$</td>
<td>$(0.294)$</td>
<td>$(0.119)$</td>
</tr>
</tbody>
</table>

Note: point estimates and standard deviations retrieved from averaging the coefficients whose estimations is detailed in section 7.2. The numerator is the average coefficient for the relevant variable, the denominator is the average coefficient for the exchange rate. The ratio is the ratio of the two.

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$
7.3 Model Estimation and Simulation

The model is the same as before, except that assumptions about monetary policy are relaxed. Devaluation is still an exogenous change in the exchange rate, and uncovered interest rate parity holds. But I do not make any other assumption about monetary policy. In particular, the equations for money demand (20) and supply (16) do not have to be true anymore.\textsuperscript{21}

First, I solve the model in relative terms and estimate it out of cross-sectional moments. For any variable \( x \), I denote with superscript \( R \) the difference between countries that devalue, and countries that don’t:

\[
x^R_t \equiv x^D_t - x^N_t
\]

I can solve for relative prices and quantities without taking a stance on monetary policy rules and match cross-sectional moments just as in section 6.1. In fact, this new estimation produces the same parameter estimates as before because it nests the more restrictive model of section 5.1. This allows me to recover the IES \((\sigma^{-1})\) which, as equation (28) shows, determines the sensitivity of world output to the world interest rate. I then feed the path of the world nominal price of gold shown on figure A.10 into the cross-sectional model to obtain \( \hat{y}_t^D - \hat{y}_t^N \).\textsuperscript{22}

Second, I use the IRF for \( \hat{r}_t^W \) to pin down world output, and recover the absolute effect. I feed the path of \( \hat{r}_t^W \) shown on figure 9 into equation (28) to obtain that of \( \hat{y}_t^W \). The paths of \( \hat{y}_t^D \) and \( \hat{y}_t^N \) can then be deduced from equations (26–27).

Again, the approach that I take here nests the model of section 5.1, but it is much more general: it does not assume a specific rule for the money supply or a specific money demand, it can accommodate the zero-lower bound or regime changes, etc. Before, the path of the world real rate relied on a specific model of the gold standard. Now, it is determined by empirical moments.

I show the results in figure 10. In the first two panels, I use the baseline monetary policy rule, estimating the model out of the cross-sectional IRF implied by the DD (top-left hand side panel) and HFI (top-right hand side) strategies. These pictures are the same as the left-hand side panels of figures 6 and A.6. While those two deliver the same qualitative takeaway, the result is even

\textsuperscript{21}To avoid taking a stand on gold flows, I now assume that their value is small compared that of production \((g^* = 0)\). As discussed in section F.1, those gold flows are quantitatively irrelevant because they have negligible effects on the current account.

\textsuperscript{22}Like in section 6, I assume that this depreciation is driven by half of the world, and scale it so that their exchange rate depreciates by 30% on average over three years.
8 Conclusion

In this paper, I identified key moments from cross-country and granular trade data. Cross-country evidence shows that devaluation stimulated output, inflation, and trade in devaluing countries,
compared to countries that did not. The effect on output is large: a 30% devaluation stimulated it by up to 14% over the next three years. Running against the competitive devaluation presumption, real imports did not go down. In fact, they went up after a few years. Trade evidence points toward an elasticity of substitution across foreign varieties between 2 and 4, and a pass-through of the exchange rate of about 0.4. I then used those moments to estimate a New Keynesian model with variable markups. The takeaway of this exercise is that devaluations had quantitatively small effects on countries that did not devalue. Equivalently, the absolute effect of a devaluation is roughly similar to its relative effect. To the question “canst thou beggar thy neighbour?”, this episode suggests a negative answer.
References


# APPENDIX

## A Additional Tables and Figures

### Table A.1: Country Samples

#### Difference-in-difference (section 2.1)

<table>
<thead>
<tr>
<th>Group</th>
<th>Countries</th>
<th>Comment</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>Austria, Canada, Denmark, Finland, Japan, Mexico, Norway, Salvador, Sweden, United Kingdom</td>
<td>Devaluation in 1931</td>
</tr>
<tr>
<td>Control</td>
<td>France, Germany, Hungary, Netherlands, Poland, Switzerland</td>
<td>No devaluation before 1936</td>
</tr>
</tbody>
</table>

#### High frequency identification (section 2.2)

|                | Belgium, France, Germany, Italy, Netherlands, United Kingdom, United States, Switzerland | Countries for which forward exchange rate data is available |

#### US imports (section 4)

<table>
<thead>
<tr>
<th>Specification</th>
<th>Countries</th>
<th>Comment</th>
</tr>
</thead>
<tbody>
<tr>
<td>1932, 1933</td>
<td>Austria, British India, British Malaya, Canada, Denmark, Egypt, Finland, Japan, Mexico, Norway, Portugal, Salvador, Sweden, United Kingdom</td>
<td>Devaluation in 1931</td>
</tr>
<tr>
<td>1932, 1933</td>
<td>Albania, Belgium, Bulgaria, Czechoslovakia, France, Germany, Hungary, Italy, Latvia, Lithuania, Netherlands, Poland and Danzig, Rumania, Switzerland</td>
<td>No devaluation before 1934</td>
</tr>
<tr>
<td>1932</td>
<td>Estonia, South Africa</td>
<td>Devaluation in 1933</td>
</tr>
<tr>
<td>none</td>
<td>Argentina, Australia, Bolivia, Brazil, New Zealand, Uruguay, Venezuela</td>
<td>Devaluation before 1931</td>
</tr>
<tr>
<td>none</td>
<td>Chile, Costa Rica, Colombia, Ecuador, Greece, Peru, Siam, Yugoslavia</td>
<td>Devaluation in 1932</td>
</tr>
<tr>
<td>none</td>
<td>China, Hong Kong, Iran</td>
<td>Silver standard</td>
</tr>
<tr>
<td>none</td>
<td>Spain, Turkey</td>
<td>Floating currency</td>
</tr>
<tr>
<td>none</td>
<td>Cuba, Philippine Islands</td>
<td>Preferential tariff rates</td>
</tr>
</tbody>
</table>

#### World real rate (section 7)

<table>
<thead>
<tr>
<th>Specification</th>
<th>Countries</th>
<th>Comment</th>
</tr>
</thead>
<tbody>
<tr>
<td>WPI</td>
<td>Austria, Belgium, Czechoslovakia, Denmark, Estonia, Finland, France, Germany, Hungary, Japan, Netherlands, Norway, Poland, Sweden, Switzerland, United Kingdom, United States</td>
<td>Countries for which nominal interest rate and price index consistently available</td>
</tr>
<tr>
<td>CPI</td>
<td>Same without Denmark</td>
<td>from 1925 to 1936</td>
</tr>
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</table>
Table A.2: Data Sources

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<th>Section</th>
<th>Variable</th>
<th>Source</th>
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<tr>
<td>2, 4</td>
<td>Spot exchange rate</td>
<td>League of Nations (1938b)</td>
</tr>
<tr>
<td>2.1</td>
<td>Exports and imports</td>
<td>League of Nations (1936): special trade, merchandise only, measured in metric tons for Belgium and the Netherlands, Economic Commission for Latin America (1951) for Argentina, Brazil and Mexico, League of Nations (1938a) otherwise</td>
</tr>
<tr>
<td>2.1</td>
<td>Wholesale price indices</td>
<td>League of Nations (1936)</td>
</tr>
<tr>
<td>2.1</td>
<td>Export and import price indices</td>
<td>League of Nations (1938a)</td>
</tr>
<tr>
<td>2.2</td>
<td>Forward exchange rate</td>
<td><em>Financial Times</em></td>
</tr>
<tr>
<td>2.2</td>
<td>Monthly data</td>
<td>Albers (2018), Mitchener and Wandschneider (2015)</td>
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<tr>
<td>4</td>
<td>US imports</td>
<td>United States Department of Commerce (1934)</td>
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<tr>
<td>7.3</td>
<td>1929 GDP</td>
<td>Maddison Project Database 2020 (Bolt and van Zanden, 2020)</td>
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</table>
Table A.3: P-values for DD Exercise

<table>
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<th>Baseline</th>
<th>Tariffs</th>
<th>Government</th>
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<tr>
<td></td>
<td>IV</td>
<td>OLS</td>
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<tr>
<td>Industrial production</td>
<td>0.03</td>
<td>0.00</td>
<td>0.00</td>
</tr>
<tr>
<td>Real exports</td>
<td>0.00</td>
<td>0.00</td>
<td>0.00</td>
</tr>
<tr>
<td>Real imports</td>
<td>0.00</td>
<td>0.00</td>
<td>0.01</td>
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<tr>
<td>Wholesale price index</td>
<td>0.00</td>
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<tr>
<td>Consumer price index</td>
<td>0.00</td>
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<tr>
<td>Export price index</td>
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<td>0.00</td>
</tr>
<tr>
<td>Import price index</td>
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<td>0.00</td>
</tr>
<tr>
<td>Nominal wages</td>
<td>0.02</td>
<td>0.20</td>
<td>0.10</td>
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<tr>
<td>Real wages</td>
<td>0.00</td>
<td>0.48</td>
<td>0.03</td>
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<tr>
<td>Terms of trade</td>
<td>0.00</td>
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<tr>
<td>Nominal interest rate</td>
<td>0.22</td>
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<tr>
<td>Real interest rate</td>
<td>0.02</td>
<td>0.18</td>
<td>0.04</td>
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</table>

Note: p-value of a test of the joint significance of the 1932 to 1935 coefficients in equation (1) with no controls (baseline), controlling for the change in tariffs (tariff), or real government revenues and expenditures (government). In the IV columns, the change in the exchange rate is instrumented with a devaluation dummy. Standard errors are clustered at the country level, and bootstrapped with 2,000 replications. Point estimates are shown on figures A.2 and A.3.
Table A.4.1: Shocks

<table>
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<th>Date</th>
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<th>Event</th>
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<tr>
<td>Panel A: Belgium (mean=0.2, sd=1.3)</td>
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<td>14nov1934</td>
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<td>Catholics and liberals against devaluation</td>
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<td>17mar1935</td>
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Notes: shocks selected by the procedure described in section 2.2. The numbers in parenthesis are the mean and standard deviation of the daily number of articles for the selected country.
Table A.4.2: Shocks

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<tbody>
<tr>
<td>Panel C: Germany (mean=0.7, sd=1.3)</td>
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<tr>
<td>13jul1931</td>
<td>9</td>
<td>Exchange controls</td>
<td>-0.067</td>
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<tr>
<td>15jul1931</td>
<td>17</td>
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</tr>
<tr>
<td>16jul1931</td>
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<td>Exchange controls</td>
<td></td>
</tr>
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<td>21jul1931</td>
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</tr>
<tr>
<td>22jul1931</td>
<td>9</td>
<td></td>
<td></td>
</tr>
<tr>
<td>29sep1931</td>
<td>9</td>
<td>Stock exchange closed indefinitely</td>
<td>n.a.</td>
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<tr>
<td>05dec1931</td>
<td>13</td>
<td></td>
<td></td>
</tr>
<tr>
<td>13jun1934</td>
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<td>Devaluation rumors</td>
<td>×</td>
</tr>
<tr>
<td>15jun1934</td>
<td>20</td>
<td></td>
<td></td>
</tr>
<tr>
<td>27sep1936</td>
<td>9</td>
<td></td>
<td></td>
</tr>
<tr>
<td>28sep1936</td>
<td>10</td>
<td>Gold bloc demise</td>
<td>×</td>
</tr>
<tr>
<td>01oct1936</td>
<td>9</td>
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<td></td>
</tr>
<tr>
<td>Panel D: Italy (mean=0.3, sd=1.0)</td>
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<td>10dec1934</td>
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<td>Exchange controls</td>
<td>-0.018</td>
</tr>
<tr>
<td>11dec1934</td>
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</tr>
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<td>23jul1935</td>
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<td></td>
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<td>24jul1935</td>
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<td>Gold coverage ratio suspended</td>
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<td>25jul1935</td>
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<td>20nov1935</td>
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<td>Gold-buying monopoly</td>
<td>-0.002</td>
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<tr>
<td>29nov1935</td>
<td>8</td>
<td>International tensions</td>
<td>×</td>
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<td>27sep1936</td>
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</tr>
<tr>
<td>28sep1936</td>
<td>9</td>
<td>Gold bloc demise</td>
<td>×</td>
</tr>
<tr>
<td>04oct1936</td>
<td>8</td>
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</tr>
<tr>
<td>06oct1936</td>
<td>38</td>
<td>Devaluation</td>
<td>n.a.</td>
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<tr>
<td>07oct1936</td>
<td>12</td>
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<td>09oct1936</td>
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<td></td>
<td></td>
</tr>
<tr>
<td>10nov1936</td>
<td>8</td>
<td>Austro-Italian trade pact</td>
<td>×</td>
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</table>

Notes: shocks selected by the procedure described in section 2.2. The numbers in parenthesis are the mean and standard deviation of the daily number of articles for the selected country.
<table>
<thead>
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<th>Date</th>
<th># articles</th>
<th>Event</th>
<th>Shock</th>
</tr>
</thead>
<tbody>
<tr>
<td>27jun1933</td>
<td>8</td>
<td>Devaluation rumors</td>
<td>×</td>
</tr>
<tr>
<td>06apr1935</td>
<td>8</td>
<td></td>
<td></td>
</tr>
<tr>
<td>07apr1935</td>
<td>7</td>
<td>Gold bloc reaffirms commitment</td>
<td>-0.023</td>
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<tr>
<td>08apr1935</td>
<td>12</td>
<td></td>
<td></td>
</tr>
<tr>
<td>04jun1935</td>
<td>9</td>
<td>Pro-devaluation minister resigns</td>
<td>-.009</td>
</tr>
<tr>
<td>24jul1935</td>
<td>8</td>
<td></td>
<td></td>
</tr>
<tr>
<td>25jul1935</td>
<td>13</td>
<td></td>
<td></td>
</tr>
<tr>
<td>26jul1935</td>
<td>8</td>
<td></td>
<td></td>
</tr>
<tr>
<td>27jul1935</td>
<td>13</td>
<td>New government</td>
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<tr>
<td>28jul1935</td>
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<td></td>
<td></td>
</tr>
<tr>
<td>29jul1935</td>
<td>15</td>
<td></td>
<td></td>
</tr>
<tr>
<td>17sep1935</td>
<td>7</td>
<td>Bank rate hike</td>
<td>-0.003</td>
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<tr>
<td>18sep1935</td>
<td>8</td>
<td>Deflationary budget</td>
<td>-0.009</td>
</tr>
<tr>
<td>26sep1935</td>
<td>8</td>
<td>Devaluation rumors</td>
<td>×</td>
</tr>
<tr>
<td>04feb1936</td>
<td>6</td>
<td>Pro-devaluation speech by former minister</td>
<td>×</td>
</tr>
<tr>
<td>27sep1936</td>
<td>18</td>
<td></td>
<td></td>
</tr>
<tr>
<td>28sep1936</td>
<td>16</td>
<td>Devaluation</td>
<td>+0.175</td>
</tr>
<tr>
<td>29sep1936</td>
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Panel F: Switzerland (mean=0.1, sd=0.5)

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<th>Event</th>
<th>Shock</th>
</tr>
</thead>
<tbody>
<tr>
<td>21apr1933</td>
<td>4</td>
<td>US gold embargo</td>
<td>×</td>
</tr>
<tr>
<td>23mar1934</td>
<td>5</td>
<td>Pro-gold minister resigns</td>
<td>+0.003</td>
</tr>
<tr>
<td>24mar1934</td>
<td>4</td>
<td></td>
<td></td>
</tr>
<tr>
<td>08apr1935</td>
<td>4</td>
<td>Gold bloc reaffirms commitment</td>
<td>-0.020</td>
</tr>
<tr>
<td>03jun1935</td>
<td>8</td>
<td>Devaluation proposal rejected</td>
<td>-0.011</td>
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<tr>
<td>04jun1935</td>
<td>4</td>
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<td>28oct1935</td>
<td>4</td>
<td>General elections</td>
<td>-0.003</td>
</tr>
<tr>
<td>27sep1936</td>
<td>14</td>
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<td></td>
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<td>28sep1936</td>
<td>14</td>
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<td>30sep1936</td>
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<td>01oct1936</td>
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<tr>
<td>09oct1936</td>
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Notes: shocks selected by the procedure described in section 2.2. The numbers in parenthesis are the mean and standard deviation of the daily number of articles for the selected country.
Table A.4.4: Shocks

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<td>Panel G: UK (mean=1.2, sd=2.1)</td>
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<td>21sep1931</td>
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<td>22sep1931</td>
<td>58</td>
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<td></td>
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<td>23sep1931</td>
<td>26</td>
<td>Pound devaluation</td>
<td>+0.175</td>
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<tr>
<td>27sep1931</td>
<td>18</td>
<td></td>
<td></td>
</tr>
<tr>
<td>28sep1931</td>
<td>27</td>
<td></td>
<td></td>
</tr>
<tr>
<td>26nov1932</td>
<td>15</td>
<td></td>
<td></td>
</tr>
<tr>
<td>02dec1932</td>
<td>16</td>
<td>War debt discussions</td>
<td>×</td>
</tr>
<tr>
<td>22apr1933</td>
<td>15</td>
<td>Dollar devaluation</td>
<td>×</td>
</tr>
<tr>
<td>26apr1933</td>
<td>17</td>
<td>Exchange equalisation fund increased</td>
<td>+0.018</td>
</tr>
<tr>
<td>26sep1936</td>
<td>18</td>
<td>Gold bloc demise</td>
<td>×</td>
</tr>
<tr>
<td>27sep1936</td>
<td>15</td>
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<td></td>
<td>Panel H: US (mean=18.3, sd=12.7)</td>
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<td>×</td>
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<td>21apr1933</td>
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<td>Gold embargo</td>
<td>+0.095</td>
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<tr>
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<td>106</td>
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<tr>
<td>27sep1936</td>
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<td>Gold bloc demise</td>
<td>×</td>
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<td>28sep1936</td>
<td>113</td>
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<td>29sep1936</td>
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Notes: shocks selected by the procedure described in section 2.2. The numbers in parenthesis are the mean and standard deviation of the daily number of articles for the selected country.
Table A.5: Parameters (HFI)

<table>
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<th>Parameter</th>
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<th>Concept</th>
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<td>Calibrated</td>
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<td>(\beta)</td>
<td>0.99</td>
<td>Discount rate</td>
<td>Annual interest rate of 4%</td>
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<tr>
<td>(i)</td>
<td>0.8</td>
<td>Habit</td>
<td>Eggertsson (2008)</td>
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<tr>
<td>(\chi)</td>
<td>1</td>
<td>Concavity of utility for money</td>
<td>Standard</td>
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<tr>
<td>(\gamma)</td>
<td>0.1</td>
<td>Openness</td>
<td>British export-to-GDP ratio</td>
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<tr>
<td>(\alpha_2)</td>
<td>0.37</td>
<td>Profit share</td>
<td>Labor share of 2/3</td>
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<td>(\eta)</td>
<td>21</td>
<td>Elasticity of labor demand</td>
<td>Christiano et al. (2005)</td>
</tr>
<tr>
<td>(\psi)</td>
<td>0.0007</td>
<td>Stationarity-inducing device</td>
<td>Schmitt-Grohé and Uribe (2003)</td>
</tr>
<tr>
<td>(g^*)</td>
<td>0.14</td>
<td>Gold to output ratio</td>
<td>British gold-reserves-to-GDP ratio</td>
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<td>Estimated</td>
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<td>(\sigma^{-1})</td>
<td>4.19</td>
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<td>Industrial production</td>
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<td>(\alpha_1)</td>
<td>0.28</td>
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<td>WPI</td>
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<td>0.28</td>
<td>Curvature of production function</td>
<td>WPI</td>
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<tr>
<td>(\xi)</td>
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<td>Nominal wages</td>
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<td>Imports and IPI</td>
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<td>1.2</td>
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<td>Imports and IPI</td>
</tr>
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<td>Micro trade elasticity</td>
<td>US imports</td>
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<td>US imports</td>
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<td>Pass-through</td>
</tr>
<tr>
<td></td>
<td>1.36</td>
<td>Markup elasticity</td>
<td>Pass-through</td>
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Table A.6: Effect on the world real rate (trade-weighted)

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<th></th>
<th>(1) Numerator</th>
<th>(2) Denominator</th>
<th>(3) Ratio</th>
</tr>
</thead>
<tbody>
<tr>
<td>Real rate (WPI)</td>
<td>−0.494**</td>
<td>1.578***</td>
<td>−0.313**</td>
</tr>
<tr>
<td></td>
<td>(0.200)</td>
<td>(0.366)</td>
<td>(0.141)</td>
</tr>
<tr>
<td>Real rate (CPI)</td>
<td>−0.366**</td>
<td>1.197***</td>
<td>−0.306**</td>
</tr>
<tr>
<td></td>
<td>(0.177)</td>
<td>(0.365)</td>
<td>(0.152)</td>
</tr>
</tbody>
</table>

Note: point estimates and standard deviations retrieved from averaging the coefficients whose estimations is detailed in section 7.2. The numerator is the average coefficient for the relevant variable, the denominator is the average coefficient for the exchange rate. The ratio is the ratio of the two.

* $p < 0.10$, ** $p < 0.05$, *** $p < 0.01$
B Additional Figures

Figure A.1: Government variables

Note: response of relevant variable in devaluing countries, relative to non-devaluing ones. Formally, the plots show the estimate of $\beta_t$ in equation (1). $\beta_{1930}$ is normalized to 0. Standard errors are bootstrapped with 2,000 replications, and clustered at the country level. The number in parenthesis is the p-value of a test of the joint significance of the 1932 to 1935 coefficients.
Note: response of relevant variable in devaluing countries, relative to non-devaluing ones. Formally, the plots show the estimate of $\beta_t$ in equation (1) with no controls (baseline), controlling for the change in tariffs (tariff), or real government revenues and expenditures (government). The change in the exchange rate is instrumented with a devaluation dummy. $\beta_{1930}$ is normalized to 0. P-values are shown in table A.3.
Note: response of relevant variable in devaluing countries, relative to non-devaluing ones. Formally, the plots show the estimate of $\beta_t$ in equation (1) with no controls (baseline), controlling for the change in tariffs (tariff), or real government revenues and expenditures (government). $\beta_{1930}$ is normalized to 0. P-values are shown in table A.3.
Figure A.4: Daily number of articles for all countries

Note: number of daily articles returned by ProQuest Historical Newspapers with the keywords described in section 2.2. The red line is the cutoff defined by the formula: mean + 6 × standard deviations.
Figure A.5: Model fit (HFI)

Note: empirical and theoretical responses of relevant variables under estimated parameter values. The black line is the point estimate, the gray area the 95% confidence interval, and the dashed grey line the theoretical response. The response of industrial production, nominal imports, wholesale prices, and nominal wages are explicitly targeted. Those of nominal exports are not. Real wages are redundant since they respectively are the ratios of nominal wages to the wholesale price index.
Figure A.6: Counterfactual analysis (HFI)

Note: response of output, consumption and the real interest rate under different scenarios: the economy stays in steady state (no devaluation), half of the world devalues by 30% (pound devaluation), every country expands its money supply by 30% (general expansion) under estimated parameter values.
Figure A.7: Identification of $\alpha_1$

Panel A: Response of World Output as a function of $\sigma^{-1}$ and $\alpha_1$

Note: panel A shows the response of world output over three years as a function of the inter-temporal elasticity of substitution ($\sigma^{-1}$) and the curvature of the production function ($\alpha_1$). The darker the color, the bigger the effect on world output. The red dot corresponds to the ($\sigma^{-1}, \alpha_1$) pair returned by the estimation. The red line draws the ($\sigma^{-1}, \alpha_1$) pairs which imply no effect on non-devaluing countries’ output. Panel B shows how the estimated moments pin down the two parameters: the black line is the ($\sigma^{-1}, \alpha_1$) pairs which imply the observed relative effect on output, the gray line the ($\sigma^{-1}, \alpha_1$) pairs which imply the observed relative effect on nominal wages. The intersection of the two lines corresponds to the red dot in panel A.
Note: response of output and the real interest rate to a 30% devaluation in half of the world with CES aggregator for international goods ($\rho = \theta \approx 3$, $\delta = 0$).
Figure A.9: Effect on the world real rate (trade-weighted)

Note: response of relevant variable to an exogenous 100 log-points devaluation in the exchange rate. Formally, the plots show the estimate of $\beta_k$ in equation (29). The black line is the point estimate; the gray area is the 95% confidence interval with Driscoll-Kraay standard errors. The number in parenthesis is the p-value of a test of the joint significance of the coefficients.
Figure A.10: Effect on the world nominal price of gold (GDP-weighted)

Note: response of relevant variable to an exogenous 100 log-points devaluation in the exchange rate. Formally, the plots show the estimate of $\beta_k$ in equation (29). The black line is the point estimate; the gray area is the 95% confidence interval with Driscoll-Kraay standard errors. The number in parenthesis is the p-value of a test of the joint significance of the coefficients.
Figure A.11: Effect on the world nominal price of gold (trade-weighted)

Note: response of relevant variable to an exogenous 100 log-points devaluation in the exchange rate. Formally, the plots show the estimate of $\beta_k$ in equation (29). The black line is the point estimate; the gray area is the 95% confidence interval with Driscoll-Kraay standard errors. The number in parenthesis is the p-value of a test of the joint significance of the coefficients.
Figure A.12: Effect on output under the sufficient statistics approach

Note: response of output in non-devaluing and devaluing countries constructed following the sufficient statistics approach described in section 7.3. The black line is the point estimate; the gray area is the 68% confidence interval. The black lines are the same as the two lines shown in the bottom left panel of figure 10. The confidence interval accounts for uncertainty in the estimate of the effect of devaluation on the path of the world real rate. It is constructed by drawing from a multi-variate normal distribution whose mean and covariance matrix are the point estimates and empirical covariance of these estimates.
C  Section 4 Data Construction

I discard imports from countries for which I do not have exchange rate data. After this step, I am left with 89% of the value of US imports from 1930 to 1933. I drop products for which I do not have value and quantity and for which there are two values but only one quantity. When a product is broken down between free and dutiable, I sum quantities and values. When there are two measures of quantity in the same unit, I drop the gross weight. When there are two measures of quantity in different units, I keep the one in pounds. Prices are recovered by dividing value with quantity.

Products are identified by their customs code. In all specifications, a product-country pair is dropped if its value is 0 in one of the relevant years. For instance, when I use 1930 and 1933 data, I only keep product-country pairs for which US imports are strictly positive in both years. This step drops up to 15% of the value of imports remaining from the previous steps. All in all, I am left with 44% of the value of US imports in 1931, 49% in 1932 and 56% in 1933.

The Hawley-Smoot tariff triggered the creation of several product categories in June 1930. As a result, the same product is not always classified consistently before and after the implementation of the tariff. Sometimes, the product category stays the same but switches from free to dutiable. Some other times, a product category is split into other categories. For instance, leather boots and shoes were divided into men’s, women’s and children’s. Whenever possible, I merge all of these product categories to be consistent within and across years.

The customs code were reshuffled between 1929 and 1930, which makes it impossible to use those for the placebo tests. I manually match product categories based on their label. Whenever new product categories were created in 1930, I merge them as described in the previous paragraph.

D  Theoretical Derivations

D.1  Demand Functions

The household minimizes expenditures:

$$
\sum_{k \in J} \int f P_{jt}^k(f) C_{jt}^k(f) \, df
$$
subject to:

\[ C_{rt}^j = (1 - \Gamma_{rt}^j)C_{rt}^j \times g \left( \int f \left( \frac{C_{rt}^{ij}(f)}{(1 - \Gamma_{rt}^j)C_{rt}^j} \right) \, df \right) + \Gamma_{rt}^j C_{rt}^j \times g \left( \sum_{k \in J} g^* \left( \frac{C_{rt}^{rk}(f)}{\Gamma_{rt}^j \Xi_{rt}^{jk} C_{rt}^j} \right) \, df \right) \]

(A.1)

\[ g(1) = g^*(1) = g^{*i}(1) = g'(1) = 1 \quad \sum_{k \in J \atop k \neq j} \Xi_{rt}^{jk} = 1 \]

The measure of firms is normalized to 1.

The first-order conditions are:

\[ P_{rt}^{ij}(f) = g^* \left( \frac{C_{rt}^{ij}(f)}{(1 - \Gamma_{rt}^j)C_{rt}^j} \right) \times g' \left( \int f \left( \frac{C_{rt}^{ij}(f)}{(1 - \Gamma_{rt}^j)C_{rt}^j} \right) \, df \right) \Lambda_i^j \]

\[ P_{rt}^{ik}(f) = g^* \left( \frac{C_{rt}^{ik}(f)}{\Gamma_{rt}^j \Xi_{rt}^{jk} C_{rt}^j} \right) \times g' \left( \sum_{k \in J} \Xi_{rt}^{jk} \int f \left( \frac{C_{rt}^{ik}(f)}{\Gamma_{rt}^j \Xi_{rt}^{jk} C_{rt}^j} \right) \, df \right) \Lambda_i^j \]

where \( \Lambda_i^j \) is the Lagrange multiplier on the constraint. Rearranging:

\[ C_{rt}^{ij}(f) = (1 - \Gamma_{rt}^j) \times h \left( \frac{P_{rt}^{ij}(f)}{\Lambda_i^j \times g' \left( \int f \left( \frac{C_{rt}^{ij}(f)}{(1 - \Gamma_{rt}^j)C_{rt}^j} \right) \, df \right)} \right) C_{rt}^j \]  

(A.2)

\[ C_{rt}^{ik}(f) = \Gamma_{rt}^j \Xi_{rt}^{jk} \times h \left( \frac{P_{rt}^{ik}(f)}{\Lambda_i^j g' \left( \sum_{k \in J \atop k \neq j} \Xi_{rt}^{jk} \int f \left( \frac{C_{rt}^{ik}(f)}{\Gamma_{rt}^j \Xi_{rt}^{jk} C_{rt}^j} \right) \, df \right)} \right) C_{rt}^j \]  

(A.3)

where \( h(.) = (g^*)^{-1}(.) \). Note that \( h(1) = 1 \) since \( g^{*i}(.) = 1 \).

Using the first-order conditions, one can check that if relative prices are equal to 1:

\[ C_{rt}^{ij}(f) = (1 - \Gamma_{rt}^j)C_{rt}^j \]

\[ C_{rt}^{ik}(f) = \Gamma_{rt}^j \Xi_{rt}^{jk} C_{rt}^j \]
Log-linearizing around that symmetric equilibrium when demand shocks are equal to their mean
($\Gamma^j_{r_t} = \bar{\Gamma}^j_{r_t}$ and $\Xi^{jk}_{r_t} = \bar{\Xi}^{jk}_{r_t}$):

$$c^j_{r_t} = (1 - \bar{\Gamma}^j_{r_t})c^j_{r_t} + \bar{\Gamma}^j_{r_t} \sum_{k \in J \atop k \neq j} \Xi^{jk}_{r_t} c^k_{r_t}$$

$$c^{ij}_{r_t} = \int f c^{ij}_{r_t}(f) \, df \quad c^{jk}_{r_t} = \int \sum_{k \in J \atop k \neq j} \Xi^{jk}_{r_t} c^k_{r_t}(f) \, df$$

Similarly defining the price index as:

$$P^j_{r_t} C^j_{r_t} \equiv \sum_{k \in J} \int f P^{jk}_{r_t}(f) C^{jk}_{r_t}(f) \, df$$

One can show:

$$p^j_{r_t} = (1 - \bar{\Gamma}^j_{r_t})p^j_{r_t} + \bar{\Gamma}^j_{r_t} \sum_{k \in J \atop k \neq j} \Xi^{jk}_{r_t} p^k_{r_t}$$

$$p^{ij}_{r_t} = \int f p^{ij}_{r_t}(f) \, df \quad p^{jk}_{r_t} = \int \sum_{k \in J \atop k \neq j} \Xi^{jk}_{r_t} p^k_{r_t}(f) \, df$$

I now log-linearize the demand functions around the symmetric equilibrium:

$$\hat{c}^{ij}_{r_t}(f) = \tilde{c}^j_{r_t} - \theta \left( \hat{p}^{ij}_{r_t}(f) - \lambda^j_{r_t} + \hat{\rho} \left( \hat{c}^{ij}_{r_t} - \tilde{c}^j_{r_t} \right) \right) - \frac{\bar{\Gamma}^j_{r_t}}{1 - \bar{\Gamma}^j_{r_t}} (1 + \theta \hat{\rho}) \hat{c}^{ij}_{r_t}$$

$$\hat{c}^{jk}_{r_t}(f) = \tilde{c}^j_{r_t} - \theta \left( \hat{p}^{jk}_{r_t}(f) - \lambda^j_{r_t} + \hat{\rho} \left( \hat{c}^{jk}_{r_t} - \tilde{c}^j_{r_t} \right) \right) + (1 + \theta \hat{\rho}) \hat{c}^{jk}_{r_t}$$

where:

$$\hat{c}^{ij}_{r_t} \equiv \int f c^{ij}_{r_t}(f) \, df \quad \hat{c}^{jk}_{r_t} \equiv \sum_{k \in J \atop k \neq j} \Xi^{jk}_{r_t} \int f c^{jk}_{r_t}(f) \, df$$

$$\theta \equiv - \frac{h'(1)}{h(1)} \quad \hat{\rho} = - \frac{g''(1) g''(1)}{g'(1)}$$
I then aggregate over $f$:

\[
\hat{c}_{j}^{ij} = \hat{c}_{r}^{j} - \theta \left( \bar{p}_{rt}^{ij} - \lambda_{t}^{j} + \tilde{\rho} \left( \hat{c}_{r}^{ij} - \hat{c}_{r}^{j} \right) \right) - \frac{\Gamma_{j}^{j}}{1 - \Gamma_{j}^{j}} (1 + \theta \tilde{\rho}) \hat{\gamma}_{rt}^{j} \tag{A.4}
\]

\[
\hat{c}_{j}^{ik} = \hat{c}_{r}^{j} - \theta \left( p_{rt}^{ik} - \lambda_{t}^{j} + \tilde{\rho} \left( \hat{c}_{r}^{ik} - \hat{c}_{r}^{j} \right) \right) + (1 + \theta \tilde{\rho}) \hat{\gamma}_{rt}^{j} + \hat{\xi}_{rt}^{jk} \tag{A.5}
\]

The demand for imports is given by averaging over $k$ in equation (A.5):

\[
\tilde{c}_{r}^{j} = \tilde{c}_{r}^{j} - \theta \left( p_{rt}^{j} - \lambda_{t}^{j} + \tilde{\rho} \left( \tilde{c}_{r}^{j} - \hat{c}_{r}^{j} \right) \right) + (1 + \theta \tilde{\rho}) \tilde{\gamma}_{rt}^{j} \tag{A.6}
\]

Subtracting equation (A.6) from equation (A.5):

\[
\hat{c}_{r}^{jk} = \hat{c}_{r}^{j} - \theta \left( p_{rt}^{jk} - \lambda_{t}^{j} + \tilde{\rho} \left( \hat{c}_{r}^{jk} - \hat{c}_{r}^{j} \right) \right) + \hat{\xi}_{rt}^{jk} \tag{A.7}
\]

Taking the weighted average of equations (A.4) and (A.6), I can check that: $\lambda_{r}^{j} = \tilde{p}_{rt}^{j}$. Then, equations (A.4) and (A.6) can be rearranged to:

\[
\hat{c}_{r}^{ij} = \hat{c}_{r}^{j} - \rho \left( p_{rt}^{ij} - \tilde{p}_{rt}^{j} \right) - \frac{\tilde{\Gamma}_{r}^{j} \hat{\gamma}_{rt}^{j}}{1 - \tilde{\Gamma}_{r}^{j} \hat{\gamma}_{rt}^{j}} \tag{A.8}
\]

\[
\hat{c}_{r}^{ij} = \hat{c}_{r}^{j} - \rho \left( p_{rt}^{ij} - \tilde{p}_{rt}^{j} \right) + \hat{\gamma}_{rt}^{j} \tag{A.9}
\]

where:

\[
\rho \equiv \frac{\theta}{1 + \theta \tilde{\rho}}
\]

$\rho$ is the elasticity of substitution between domestic and foreign varieties, while $\theta$ is the elasticity of substitution among foreign varieties.

**Example 1 (CES)** Suppose that:

\[
g(x) = x \quad g^{*}(x) = 1 + \frac{\theta}{\theta - 1} \left( x^{\frac{a-1}{a}} - 1 \right)
\]
The Kimball aggregator simplifies to:

\[ C^j_{rt} = (1 - \Gamma^j_{rt})C^j_{rt} \times \int_f \left( \frac{C^{jj}_{rt}(f)}{(1 - \Gamma^j_{rt})C^j_{rt}} \right)^{\frac{a-1}{a}} \frac{d\theta}{\Gamma^j_{rt}} C^j_{rt} \sum_{k \in J \setminus j} \Xi^j_{rk} \int_f \left( \frac{C^{jk}_{rt}(f)}{\Gamma^j_{rt} \Xi^j_{rk} C^j_{rt}} \right)^{\frac{a-1}{a}} \frac{d\theta}{\Gamma^j_{rt}} \Xi^j_{rk} C^j_{rt} \]

Which can be rewritten in a more traditional form:

\[ C^j_{rt} = \left( (1 - \Gamma^j_{rt})^{\frac{1}{a}} \int_f \left( \frac{C^{jj}_{rt}(f)}{\Gamma^j_{rt}} \right)^{\frac{a-1}{a}} d\theta + (\Gamma^j_{rt})^{\frac{1}{a}} \sum_{k \in J \setminus j} (\Xi^j_{rk})^{\frac{1}{a}} \int_f \left( \frac{C^{jk}_{rt}(f)}{\Gamma^j_{rt} \Xi^j_{rk} C^j_{rt}} \right)^{\frac{a-1}{a}} d\theta \right)^{\frac{a}{a-1}} \]

D.2 Strategic Complementarities

D.2.1 Price indices

A firm maximizes:

\[ \left( P^{jk}_{rt}(f) - \frac{MC^k_{rt}(f)}{XR^k_{rt}} \right) C^{jk}_{rt}(f) \]

subject to equations (A.2) or (A.3). The first-order condition for \( k \neq j \) is:

\[ h(X) + \left( 1 - \frac{MC^k_{rt}(f)/XR^k_{rt}}{P^{jk}_{rt}} \right) Xh'(X) = 0 \]

where:

\[ X = \frac{P^{jk}_{rt}(f)}{\Lambda^j_i g' \sum_{k \in J \setminus j} \Xi^j_{rk} \int_f g^*(\frac{C^{jk}_{rt}(f)}{\Gamma^j_{rt} \Xi^j_{rk} C^j_{rt}}) d\theta} \]

Rearranging:

\[ P^{jk}_{rt}(f) = M(X) \frac{MC^k_{rt}(f)}{XR^k_{rt}} \]
where:

\[
M(X) = \frac{-Xh'(X)}{h(X)} - 1
\]

Log-linearizing:

\[
p_{jk}^{jt}(f) = -\bar{m} \left( p_{jt}^{jk}(f) - p_{jt}^{j} + \tilde{\rho}(\hat{c}_{rt}^{j *} - \hat{c}_{rt}^{j} - \hat{z}_{rt}^{j}) \right) + (mc_{rt}^{k}(f) - xr_{t}^{kj})
\]

\[
\bar{m} = \frac{d \log M(X)}{d \log X} |_{X=1}
\]

Aggregating over \( f \):

\[
p_{jk}^{rt} = -\bar{m} \left( p_{jt}^{jk} - p_{jt}^{j} + \tilde{\rho}(\hat{c}_{rt}^{j *} - \hat{c}_{rt}^{j} - \hat{z}_{rt}^{j}) \right) + (mc_{rt}^{k} - xr_{t}^{kj})
\]

Substituting equation (A.9) and rearranging:

\[
p_{jk}^{rt} = \bar{m} \tilde{\rho} \rho \left( p_{jt}^{jk} - p_{jt}^{j} + \tilde{\rho}(\hat{c}_{rt}^{j *} - \hat{c}_{rt}^{j} - \hat{z}_{rt}^{j}) \right) + (mc_{rt}^{k} - xr_{t}^{kj})
\]

Aggregating over \( k \):

\[
p_{rt}^{j*} = \frac{\bar{m}(1 - \tilde{\rho} \rho)}{1 + \bar{m}(1 - \tilde{\rho} \rho)} p_{rt}^{j} + \frac{1}{1 + \bar{m}(1 - \tilde{\rho} \rho)} \sum_{k \neq j} \bar{\Xi}_{jk}^{j} (mc_{rt}^{k} - xr_{t}^{kj})
\]

Similarly, for the domestic good:

\[
p_{rt}^{jj}(f) = -\bar{m} \left( p_{jt}^{jk} - p_{jt}^{j} + \tilde{\rho}(\hat{c}_{rt}^{j *} - \hat{c}_{rt}^{j} + \frac{\tilde{\Gamma}_{j}}{1 - \tilde{\Gamma}_{j}} \hat{z}_{rt}^{j}) \right) + mc_{rt}^{j}(f)
\]

Aggregating over \( f \):

\[
p_{rt}^{jj} = \frac{\bar{m}(1 - \tilde{\rho} \rho)}{1 + \bar{m}(1 - \tilde{\rho} \rho)} p_{rt}^{j} + \frac{1}{1 + \bar{m}(1 - \tilde{\rho} \rho)} mc_{rt}^{j}
\]

Therefore:

\[
p_{rt}^{jk} = \zeta_{1} p_{rt}^{j*} + \zeta_{2} p_{rt}^{j} + (1 - \zeta_{1} - \zeta_{2})(mc_{rt}^{k} - xr_{t}^{kj}) \tag{A.10}
\]
\[ p_{rt}^{j*} = \delta p_{rt}^{j} + (1 - \delta) \sum_{k \in J \atop k \neq j} \bar{\Xi}^{jk}(mc_{rt}^{k} - xr_{t}^{kj}) \] (A.11)

\[ p_{rt}^{jj} = \delta p_{rt}^{j} + (1 - \delta)mc_{rt}^{j} \] (A.12)

where:

\[ \zeta_1 \equiv \frac{\bar{m}\rho}{1 + \bar{m}} \quad \zeta_2 \equiv \frac{\bar{m}(1 - \rho)}{1 + \bar{m}} \quad \delta \equiv \frac{\bar{m}(1 - \rho)}{1 + \bar{m}(1 - \rho)} \]

Substituting in the formula for \( \bar{\rho} \):

\[ \zeta_1 = \frac{\bar{m}(1 - \rho/\theta)}{1 + \bar{m}} \quad \zeta_2 = \frac{\bar{m}\rho/\theta}{1 + \bar{m}} \quad \delta = \frac{\bar{m}\rho}{\theta + \bar{m}\rho} \]

Combining equations (A.11) and (A.12):

\[ p_{rt}^{j} = (1 - \bar{\Gamma}^{j})mc_{rt}^{j} + \bar{\Gamma}^{j} \sum_{k \in J \atop k \neq j} \bar{\Xi}^{jk}(mc_{rt}^{k} - xr_{t}^{kj}) \] (A.13)

Invoking equation (A.11) one more time:

\[ p_{rt}^{j*} = \delta(1 - \bar{\Gamma}^{j})mc_{rt}^{j} + (1 - \delta(1 - \bar{\Gamma}^{j})) \sum_{k \in J \atop k \neq j} \bar{\Xi}^{jk}(mc_{rt}^{k} - xr_{t}^{kj}) \] (A.14)

Plugging the latter two results into equation (7):

\[ p_{rt}^{jk} = \delta(1 - \bar{\Gamma}^{j})mc_{rt}^{j} + (\zeta_1 + \zeta_2 - \delta(1 - \bar{\Gamma}^{j})) \sum_{m \in J \atop m \neq j} \bar{\Xi}^{jm}(mc_{rt}^{m} - xr_{t}^{mj}) \]

\[ + (1 - \zeta_1 - \zeta_2)(mc_{rt}^{j} - xr_{t}^{kj}) \] (A.15)

**Example 2 (Klenow and Willis (2016))** Suppose that: \( h(x) = (1 - \bar{m}' \log(x))^{\theta} \). Then: \( \bar{m} = \bar{m}'/(\theta - 1) \).\(^{23}\) \( \bar{m} \) can take any value from 0 to infinity as long as \( \theta > 1 \). So \( 1 - \zeta_1 - \zeta_2 \) can take any value between 0 and 1.

\(^{23}\)See Itskhoki and Mukhin (2019) for a detailed proof.
D.2.2 Proof of Proposition 2

The producer price index is given by combining equations (A.12) and (A.13):

\[ p_{kk}^t = (1 - \delta \bar{\Gamma})m c_t^k + \delta \bar{\Gamma} \int_m (mc_t^m - xr_t^{km}) \, dm \]

Rearranging:

\[ mc_t^k = \frac{1}{1 - \delta \bar{\Gamma}} p_t^k \frac{\delta \bar{\Gamma}}{1 - \delta \bar{\Gamma}} \int_m (mc_t^m - xr_t^{km}) \, dm \]

Plugging into the simplified version of equation (A.10):

\[ p_{jk}^t = \frac{1 - \zeta_1 - \zeta_2}{1 - \delta \bar{\Gamma}} x r_{kt}^{kj} + \frac{1 - \zeta_1 - \zeta_2}{1 - \delta \bar{\Gamma}} \left( p_t^k + \frac{\delta \bar{\Gamma}}{1 - \delta \bar{\Gamma}} \int_m (mc_t^m - xr_t^{mj}) \, dm \right) + \zeta_1 p_t^j + \zeta_2 p_t^j \]

D.3 Market Clearing

To a first order, demand for the varieties of country \( j \) are:

\[ \hat{y}_t^j = (1 - \bar{\Gamma}) \hat{c}_t^j + \bar{\Gamma} \int_k \hat{c}_t^{kj} \, dk \]

Using equations (A.7) and (A.9):

\[ \hat{c}_t^{kj} = \hat{c}_t^{kj} - \theta \left( p_t^{kj} - p_t^{k*} \right) = \hat{c}_t^k - p \left( p_t^{k*} - p_t^k \right) - \theta \left( p_t^{kj} - p_t^{k*} \right) \]

Now, using equations (A.13) and (A.14):

\[ p_t^{k*} - p_t^k = (1 - \delta (1 - \bar{\Gamma})) \left( \int_m (mc_t^m - xr_t^{km}) \, dm - mc_t^k \right) \]

Moreover, using equations (A.14) and (A.15):

\[ p_t^{kj} - p_t^{k*} = (1 - \zeta_1 - \zeta_2) \left( mc_t^j - xr_t^{kj} - \int_m (mc_t^m - xr_t^{km}) \, dm \right) \]
So:

\[ \hat{c}_{kj}^t = \hat{c}^k_t - \rho (1 - \delta (1 - \bar{\Gamma})) \left( \int_m (mc^m_t - xr^{km}_t) \, dm - mc^k_t \right) \]

\[ - \theta (1 - \zeta_1 - \zeta_2) \left( mc^j_t - \int_m (mc^m_t - xr^{mj}_t) \, dm \right) \]

Note that: \( xr^{km} = xr^{mj} - xr^{kj} \). Using this identity and integrating over \( k \):

\[ \int_k \hat{c}_{kj}^t \, dk = \int_k \hat{c}_k^t \, dk \]

\[ - \theta (1 - \zeta_1 - \zeta_2) \left( mc^j_t - \int_m (mc^m_t - xr^{mj}_t) \, dm \right) \]

Moreover, using equations (A.8) and (A.13):

\[ \hat{c}_{jj}^t = \hat{c}_t^j - \rho (p_t^{jj} - p_t^{j}) = \hat{c}_t^j - \rho (1 - \delta) \bar{\Gamma} \left( mc^j_t - \int_m (mc^m_t - xr^{mj}_t) \, dm \right) \]

Gathering those results:

\[ \hat{y}_t^j = \psi \left( \int_m (mc^m_t - xr^{mj}_t) \, dm - mc^j_t \right) + (1 - \bar{\Gamma}) \hat{c}_t^j + \bar{\Gamma} \int_k \hat{c}_k^t \, dk \]

\[ {\psi} \equiv \Gamma \left[ (1 - \delta)(1 - \bar{\Gamma}) + (1 - \zeta_1 - \zeta_2) \theta \right] \]

D.4 Households

The utility of the country’s representative household is:

\[ E_0 \sum_{t=0}^{\infty} \left( \frac{(C_t^j - \zeta C_{t-1}^j)^{1-\sigma} - 1}{1 - \sigma} - \int_l \frac{(N_t^j(l))^{1+\phi}}{1 + \phi} \, dl + \frac{(M_t^j/P_t^j)^{1-\chi} - 1}{1 - \chi} \right) \]

subject to:

\[ \frac{B_t^j}{1 + \hat{c}_t^j} - B_{t-1}^j + M_t^j - M_{t-1}^j = \int_l W_t^j(l) N_t(l) \, dl - P_t^j C_t^j + \text{profits} \]

\[ N_t^j(l) = \left( \frac{W_t^j(l)}{W_t^j} \right)^{-\eta} N_t^j \]
The Euler equation is:

\[ \hat{\mu}_t^j = E_t \hat{\mu}_{t+1}^j + \hat{\pi}_t^j - E_t \pi_{ct+1}^j \]

\[ \hat{\mu}_t^j \equiv \frac{\sigma}{(1 - \epsilon)(1 - \beta \epsilon)} \left( \beta \hat{c}_{t+1}^j - (1 + \beta \epsilon^2) \hat{c}_t^j + \epsilon \hat{c}_{t-1}^j \right) \]

The first-order condition for money holdings is:

\[ \hat{\pi}_t^j = 1 - \beta \beta^2 - \chi \Delta (m_t^j - p_t^j) - \hat{\mu}_t^j \]

The Phillips curve can be written as:

\[ \pi_{wt}^j = \beta E_t \pi_{wt+1}^j + \hat{\pi}_t^j - \kappa \hat{\mu}_t^j + \kappa (w_t^j - p_t^j) \]

\[ \kappa \equiv \frac{(1 - \xi)(1 - \beta \xi)}{\xi(1 + \eta \phi)} \quad \hat{\kappa} \equiv \kappa \frac{\phi}{1 - \alpha_2} \]

### D.5 International Payments

Profits of the central bank are:

\[ \Pi_{cbt}^j = M_t^j - M_{t-1}^j - \mathcal{E}_t^j \left( G_t^j - G_{t-1}^j \right) \]

Profits of the firms are:

\[ \left( P_t^j - W_t^j \right) C_t^j (f) + \int_k \left( \frac{P_t^{kj} X R_t^{kj}}{X R_t^j} - W_t^j \right) C_t^{kj} (f) \, dk \]

The balance of payments of the country is given by:

\[ \frac{B_t^j}{1 + \hat{\pi}_t^j} - B_{t-1}^j + \mathcal{E}_t^j \left( G_t^j - G_{t-1}^j \right) = \int f \, P_t^{ij} C_t^{ij} (f) \, df + \int_k \int f \, P_t^{kj} C_t^{kj} (f) \, dk \, df - P_t^j C_t^j \]

To a first-order, this is:

\[ \beta b_t^j - b_{t-1}^j + \bar{g} \Delta g_t^j = \bar{\Gamma} \int_k \left( P_t^{kj} - x r_t^{kj} - p_t^{kj} \right) \, dk + \bar{\Gamma} \int_k \left( \hat{c}_t^{kj} \, dk - \hat{c}_t^{kj} \right) \, dk \]

\[ ^{24}\text{See Galí (2015, ch. 6) for a derivation.} \]
\[ b_j^t = \frac{B_j^t}{P_j^t Y^t_j} \]

\[ \bar{g} = \frac{E^j_t G^j_t}{P_j^t Y^t_j} \] expressed in steady state

### D.6 Model Summary

For each country, there are 18 variables: output \((y)\), consumption \((c)\), marginal cost \((mc)\), wage \((w)\), price charged in country \(k\) \(p^{jk}\), import price index \((IPI, p^{j*k})\), producer price index \((PPI, p^{j})\), consumer price index \((CPI, p^{j})\), CPI inflation \((\pi^j_c)\), wage inflation \((\pi^j_w)\), marginal utility \((\mu^j)\), nominal interest rate \((i^j)\), money supply \((m^j)\), gold cover ratio \((\lambda^j)\), exchange rate \((x^j)\), nominal gold price \((\epsilon^j)\), bonds owned \((b^j)\) and gold stock \((g^j)\). The endogenous state variables are \(p_{j-1}^t, w_{j-1}^t, b_{j-1}^t\) and \(g_{j-1}^t\). The exogenous state variables are \(\epsilon^j_t\) and \(\lambda^j_t\). Other variables are controls.

There are 18 equations:

1. **Market clearing:** \[ \hat{y}_t^j = \psi \left( \int (mc_t^m - xr_t^{mj}) \, dm - mc_t^t \right) + (1 - \bar{\Gamma})\hat{c}_t^j + \bar{\Gamma} \int \hat{c}_k^t \, dk \] (A.17)
2. **Marginal cost:** \[ mc_t^j = w_t^j + \frac{\alpha_1}{1 - \alpha_2} \hat{y}_t^j \] (A.18)
3. **CPI:** \[ p_t^j = \bar{p} + (1 - \bar{\Gamma})mc_t^j + \bar{\Gamma} \int (mc_t^m - xr_t^{mj}) \] (A.19)
4. **CPI inflation:** \[ \pi_{ct}^j = p_t^j - p_{t-1}^j \] (A.20)
5. **Wage inflation:** \[ \pi_{wt}^j = w_t^j - w_{t-1}^j \] (A.21)
6. **Marginal utility:** \[ \hat{\mu}_t^j = \frac{\sigma}{(1 - \nu)(1 - \beta \nu)} \left( \beta \nu E_t \hat{c}_{t+1}^j - (1 + \beta \nu^2)\hat{c}_t^j + \nu \hat{c}_{t-1}^j \right) \] (A.22)
7. **Euler equation:** \[ \hat{\mu}_t^j = E_t \hat{\mu}_{t+1}^j + \hat{\nu}_t^j - E_t \pi_{ct}^j \] (A.23)
8. **Money holdings:** \[ \hat{\nu}_t^j = \frac{1 - \beta}{\beta^2} \left( -\chi (m_t^j - p_t^j) - \hat{\mu}_t^j \right) \] (A.24)
9. **Phillips curve:** \[ \pi_{wt}^j = \beta E_t \pi_{wt+1}^j + \kappa \hat{y}_t^j - \kappa \hat{\mu}_t^j + \kappa (w_t^j - p_t^j) \] (A.25)
10. **Money supply:** \[ \hat{m}_t^j - \hat{\nu}_t^j = \hat{\lambda}_t^j + \hat{g}_t^j \] (A.26)
11. **Gold peg:** \[ E_t \hat{\epsilon}_{t+1}^j = \hat{\epsilon}_t^j \] (A.27)
12. **Gold cover ratio:** \[ E_t \hat{\lambda}_{t+1}^j = \hat{\lambda}_t^j \] (A.28)
13. **Exchange rate:** \[ xr_t^{jk} = \hat{\epsilon}_t^j - \hat{\epsilon}_t^k \] (A.29)

---

\(^{25}\)To be precise, \(p^{jk}\) is not a single variable, but a continuum of variables as there is a continuum of countries \(k\).
quasi UIP: \[ i_t^j - i_t^k - E_t(\Delta \epsilon_t^j - \epsilon_t^k) = v(b_t^j - b_t^k) \] (A.30)

price setting: \[ p_t^{jk} = \bar{p} + \zeta_1 p_t^j + \zeta_2 p_t^i + (1 - \zeta_1 - \zeta_2)(mc_t^k - xx_t^{kj}) \] (A.31)

IPI: \[ p_t^{ij} = \bar{p} + \delta p_t^j + (1 - \delta) \int_k (mc_t^k - xx_t^{kj}) \] (A.32)

PPI: \[ p_t^{ij} = \bar{p} + \delta p_t^j + (1 - \delta)mc_t^j \] (A.33)

bop: \[ \beta b_t^j - b_t^j - 1 + \bar{g} \Delta \epsilon_t^j = \bar{\Gamma} \int_k (p_t^{kj} - xx_t^{kj} - p_t^{k} - p_t^{k}) dk + \bar{\Gamma} \int_k (\epsilon_t^{k} - \epsilon_t^{k}) dk \] (A.34)

Since equations (A.29) and (A.30) are expressed in relative terms, they are redundant for one country. In which case, they can be replaced with market clearing for gold — the world stock is constant — and bonds at the world level:

\[ \int_k \hat{g}_t^k dk = 0 \] (A.35)
\[ \int_k b_t^k dk = 0 \] (A.36)

Equation (A.36) is redundant as well. Indeed, it can be deduced from summing over \( j \) in equation (A.34). The right-hand side drops out, so:

\[ \beta \int_j b_t^j dj = \int_j b_t^{j-1} dj - \bar{g} \Delta \int_j g_t^j dj \]

The last term is 0 for all \( t \) by equation (A.35). The initial condition guarantees: \( \int_j b_t^0 dj = 0 \), so that: \( \int_j b_t^0 dj = 0 \). Iterating over \( t \) implies equation (A.36). This redundancy verifies Walras law: if the markets for goods and gold clear, so does the market for bonds.

To make the model stationary, I subtract the local gold price adjusted for the world gold cover ratio from nominal quantities \( (p_t^{kj}, p_t^{ij}, \omega_t^j, mc_t^j, \epsilon_t^j + \int_k \lambda_t^k dk) \). The exchange rate can be substituted out. The local gold stock must be adjusted for the difference between the local gold cover ratio and the world one: \( \hat{g}_t^j + \lambda_t^j - \int_j \lambda_t^k, dk \). I denote those transformed variables with tildes.

Random walk variables can be expressed in first difference: \( \Delta \epsilon_t^j = \epsilon_t^j - \epsilon_{t-1}^j, \Delta \lambda_t^j = \lambda_t^j - \lambda_{t-1}^j \).

market clearing: \[ \hat{g}_t^j = \psi \left( \int_m \hat{\nu}_{t}^m dm - \hat{\mu}_{t}^j \right) + (1 - \Gamma) \hat{\epsilon}_t^j + \bar{\Gamma} \int_k \hat{\epsilon}_t^k dk \] (A.37)
D.7 Proof of Proposition 3

I plug equation (28) into equations (26–27):

\[
\begin{align*}
\text{marginal cost:} & \quad \hat{mc}_t^j = \hat{w}_t^j + \frac{\alpha_1}{1 - \alpha_2} \hat{y}_t^j \\
\text{CPI:} & \quad \hat{p}_t^j = (1 - \bar{\Gamma}) \hat{mc}_t^j + \bar{\Gamma} \int_m \hat{mc}_m^j \\
\text{CPI inflation:} & \quad \pi_{ct}^j = \hat{p}_t^j - \hat{p}_{t-1}^j + \Delta c_t^j + \int_k \Delta \lambda_t^k \, dk \\
\text{wage inflation:} & \quad \pi_{wt}^j = \hat{w}_t^j - \hat{w}_{t-1}^j + \Delta c_t^j + \int_k \Delta \lambda_t^k \, dk \\
\text{marginal utility:} & \quad \hat{\mu}_t^j = \frac{\sigma}{(1 - \iota)(1 - \beta_t)} \left( \beta_t E_t c_{t+1}^j - (1 + \beta t^2) c_t^j + \nu c_{t-1}^j \right) \\
\text{Euler equation:} & \quad \hat{\mu}_t^j = \frac{E_t \hat{c}_{t+1}^j}{1 - \beta_t} \\
\text{money holdings:} & \quad \hat{\iota}_t^j = 1 - \frac{\beta}{\beta^2} \left( -\chi (\hat{mc}_t^j - \hat{p}_t^j) - \hat{\mu}_t^j \right) \\
\text{Phillips curve:} & \quad \pi_{wt}^j = \beta E_t \pi_{wt+1}^j + \tilde{\kappa} \hat{y}_t^j - \kappa \hat{\mu}_t^j + \kappa (\hat{w}_t^j - \hat{p}_t^j) \\
\text{money supply:} & \quad \hat{\tilde{m}}_t^j = \hat{y}_t^j \\
\text{gold peg:} & \quad E_t \Delta \epsilon_{t+1}^j = 0 \\
\text{gold cover ratio:} & \quad E_t \Delta \lambda_{t+1}^j = 0 \\
\text{quasi UIP:} & \quad \tilde{\iota}_t^j - \tn{\bar{\iota}}_t^k - E_t \left( \Delta \epsilon_t^j - \Delta \epsilon_t^k \right) = \nu (b_t^k - b_t^j) \\
\text{price setting:} & \quad \hat{p}_t^{ik} = \zeta_1 \hat{p}_t^* + \zeta_2 \hat{p}_t^j + (1 - \zeta_1 - \zeta_2) \hat{mc}_t^j \\
\text{IPI:} & \quad \hat{p}_t^* = \delta \hat{p}_t^j + (1 - \delta) \int_k \hat{mc}_k^j \\
\text{PPI:} & \quad \hat{p}_t^{ij} = \delta \hat{p}_t^j + (1 - \delta) \hat{mc}_t^j \\
\text{bop:} & \quad \beta b_t^j - b_{t-1}^j + \bar{\bar{g}} \left( \Delta \hat{y}_t^j - \Delta \lambda_t^j + \int_k \Delta \lambda_t^k \, dk \right) \\
& \quad = \bar{\bar{\Gamma}} \int_k \left( \hat{p}_t^{kj} - \hat{p}_t^{jk} \right) \, dk + \bar{\bar{\Gamma}} \int_k \left( c_t^{kj} \, dk - c_t^{jk} \right) \, dk
\end{align*}
\]

\[\text{D.7 Proof of Proposition 3}\]

Knowing \(\sigma, \iota, \hat{y}_t^D - \hat{y}_t^N\) and the path of \(\hat{r}_t^W\) is sufficient to know \(\hat{y}_t^D\) and \(\hat{y}_t^N\).
D.8 Proof of Proposition 4

I assume that the solution to equations (A.37–A.53) exists, and is unique.

D.8.1 Proof of Proposition 4.1

For any variable $x$, the full solution is given by:

$$
\dot{x}_i^F = \frac{dx_i^j}{d\epsilon^j_0} \Delta = \frac{dx_i^j}{d\lambda^j_0} \Delta + \frac{dx_i^j}{d\sigma^j_0} \Delta - \frac{dx_i^j}{d\lambda^j_0} \Delta
$$

D.8.2 Proof of Proposition 4.2

Integrating equations (A.37–A.48) gives a system of 12 equations with 12 world-level variables — $b^j, p^{jk}, p^{j*}, p^{ij}$ do not appear in these equations and $\hat{g}^W$ can be eliminated with equation (A.35):

- Market clearing: $\hat{y}^W_t = \hat{c}^W_t$ (A.54)
- Marginal cost: $\hat{m}c^W_t - \hat{w}^W_t + \frac{\omega_1}{1-\omega_2} y^W_t$ (A.55)
- CPI: $\hat{p}^W_t = \hat{m}c^W_t$ (A.56)
- CPI inflation: $\pi_{ct}^W = \hat{p}^W_t - \hat{p}^W_{t-1} + \Delta \epsilon_t^W + \Delta \lambda_t^W$ (A.57)
- Wage inflation: $\pi_{wt}^W = \hat{w}^W_t - \hat{w}^W_{t-1} + \Delta \epsilon_t^W + \Delta \lambda_t^W$ (A.58)
- Marginal utility: $\hat{\mu}^W_t = \frac{\sigma}{(1-\tau)(1-\beta \tau)} (\beta t E_t \hat{c}^W_{t+1} - (1 + \beta \tau^2) \hat{c}^W_t + \tau \hat{c}^W_{t-1})$ (A.59)
- Euler equation: $\hat{\mu}^W_t = E_t \hat{\mu}^W_{t+1} + i^W_t - E_t \hat{\sigma}^W_{c,t+1}$ (A.60)
- Money holdings: $\hat{i}^W_t = \frac{1-\beta}{\beta^2} \left( -\chi (\hat{m}^W_t - \hat{p}^W_t - \hat{\mu}^W_t) - \hat{i}^W_{t-1} \right)$ (A.61)
- Phillips curve: $\pi_{wt}^W = \beta E_t \pi_{t+1}^W + \kappa \hat{y}^W_t - \kappa \hat{\mu}^W_t + \kappa (\hat{w}^W_t - \hat{p}^W_t)$ (A.62)
- Money supply: $\hat{m}^W_t = 0$ (A.63)
- Gold peg: $E_t \Delta \epsilon^W_{t+1} = 0$ (A.64)
- Gold cover ratio: $E_t \Delta \lambda^W_{t+1} = 0$ (A.65)

$\Delta \epsilon^j_t$ and $\Delta \lambda^j_t$ enter equation (A.63) similarly, and their respective law of motion are identical. So both shocks have the same effect on the system. Therefore: $\hat{x}^W_{tF} = \hat{x}^W_{tM}$ for any $x$ among the 12
variables that is not $\Delta \epsilon^j_t$ or $\Delta \lambda^j_t$. On the other hand, the exchange rate channel does not affect any of those variables outside of $\Delta \epsilon^j_t$ and $\Delta \lambda^j_t$, as $\dot{\epsilon}^W_t + \dot{\lambda}^W_t = 0$, and equations (A.54–A.63) are not perturbed.

D.8.3 Proof of Proposition 4.3

For the monetary channel, I guess and verify that the solution is of the form:

$$\forall (j, k) \in J^2, \quad g^j_t = g^k_t$$

Then: $\hat{m}_t^j = \hat{m}_t^k$ for all $j, k$. $\hat{m}_t^j$ and $\hat{m}_t^k$ do not appear in any other equation ($\bar{g} \to 0$). So everything is the same in all countries: $\hat{x}_M^j = \hat{x}_M^k = \hat{x}_M^W$, where $\hat{x}_M^W$ solves equation (A.54–A.65), is a solution for any variable that is not $\Delta \lambda, g$ or $m$.

The two channels sum to the total effect: $\hat{x}_F^j = \hat{x}_M^j + \hat{x}_X^j$. So the relative effect is given by:

$$\hat{x}_F^j - \hat{x}_F^k = \hat{x}_X^j - \hat{x}_X^k$$
E SMM Estimation

To estimate the model, I minimize the weighted sum of the empirical moments:

\[(\hat{B} - \bar{B})' \times \hat{V}^{-1} \times (\hat{B} - \bar{B})\]

where:

\[
\hat{B} = \begin{pmatrix}
B^{xx} \\
B^{ip} \\
B^{wpi} \\
B^{nw} \\
B^{imp} \\
B^{ipi} \\
B^{tar} \\
\beta^{elas} \\
\beta^{pt}
\end{pmatrix},
\hat{V} = \begin{pmatrix}
V^{xx} & 0 & 0 & 0 & 0 & 0 & 0 \\
0 & V^{ip} & 0 & 0 & 0 & 0 & 0 \\
0 & 0 & V^{wpi} & 0 & 0 & 0 & 0 \\
0 & 0 & 0 & V^{nw} & 0 & 0 & 0 \\
0 & 0 & 0 & 0 & V^{imp} & 0 & 0 \\
0 & 0 & 0 & 0 & 0 & V^{ipi} & 0 \\
0 & 0 & 0 & 0 & 0 & 0 & V^{tar} \\
0 & 0 & 0 & 0 & 0 & 0 & 0 & (\beta^{elas})^2 / 4 & 0 \\
0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & (\beta^{pt})^2 / 4
\end{pmatrix}
\]

Each \(B^y\) is itself a vector containing the IRF of \(y\) from 1932 to 1935:

\[B^y = \begin{pmatrix}
\beta^y_{1932} \\
\vdots \\
\beta^y_{1935}
\end{pmatrix}\]

where \(B\) is a vector containing the estimated moments and \(V\) the covariance matrix of those moments. A \(\hat{\cdot}\) denotes the empirical estimate, and a \(\bar{\cdot}\) the model equivalent. The construction of the covariance matrix allows for correlation within the impulse response function of a given variable. For instance, the 1932 coefficient for industrial production is probably correlated with the 1933 one. Moreover, since each IRF is made of four moments, I re-weight the elasticity and pass-through estimates by a factor of 4; so that they receive the same weight than an IRF, for a given variance.
F Additional Results

F.1 General Equilibrium Decomposition

F.1.1 Definition

To better understand the result, I introduce a general equilibrium (GE) decomposition. In this model, monetary policy is a path for the nominal price of gold, \( E^j_t \). Other variables adjust endogenously. Thus, the devaluation is just a one-off unexpected increase in the nominal price of gold \( (E^j_0/E^j_{-1} > 1) \), which then feeds into the money supply and the exchange rate — the monetary variables — through equations (16) and (18). Therefore, I can ask: what if monetary policy affects the economy only through the money supply? What if it affects the economy only through the exchange rate? To implement this, notice that any devaluation \( \bar{D} \equiv E^j_0/E^j_{-1} \) can be decomposed into two policies:

1. Monetary channel. A permanent decrease in the gold cover ratio which holds the price of gold constant:

\[
\frac{\Lambda^j_0}{\Lambda^j_{-1}} = \frac{1}{\bar{D}} \quad \frac{E^j_0}{E^j_{-1}} = 1
\]

The gold cover ratio is the ratio of the money supply to gold reserves. Until now, I had assumed it to be constant. A decrease means that the central bank issues more money for a given quantity of its gold reserves.

2. Exchange rate channel. A permanent increase in the price of gold whose immediate effect on the money supply is offset by a corresponding permanent increase in the gold cover ratio:

\[
\frac{\Lambda^j_0}{\Lambda^j_{-1}} = \bar{D} \quad \frac{E^j_0}{E^j_{-1}} = \bar{D}
\]

With the first policy, the central bank expands the money supply for a given quantity of gold reserves \( (G_t) \) by equation (16), but leaves the exchange rate unchanged by equation (18). The second policy affects the exchange rate but leaves the money supply unchanged for a given quantity

---

26The concept was introduced by Auclert et al. (2020) who apply it to a closed economy. I adapt it to an open economy.
of gold reserves \((G_t)\). Another way to understand these two channels is that one (monetary) is a relaxation of the backing requirement, while the other (exchange rate) is a sterilized currency devaluation.

F.1.2 GE Decomposition in Theory

For output \(y\), denote \(\{\ddot{y}^F_{jt}\}_{t \geq 0}, \{\ddot{y}^M_{jt}\}_{t \geq 0}\), and \(\{\ddot{y}^X_{jt}\}_{t \geq 0}\) the sequences of \(\ddot{y}^j_t\) under the first-order solution for the full model, the monetary and the exchange rate channels respectively. Armed with this notation, I turn to proposition 4, whose proof is in the appendix.

**Proposition 4 (GE decomposition)** Consider a devaluation episode: at time 0, a subset of countries unexpectedly devalues by \(\bar{D}\). Constant prices of gold are expected afterwards.

1. The decomposition is additive:

\[
\ddot{y}^F = \ddot{y}^M + \ddot{y}^X
\]

2. World-level output is fully determined by the monetary channel:

\[
\int_{j \in J} \ddot{y}^M_{jt} dj = \int_{j \in J} \ddot{y}^F_{jt} dj = \int_{j \in J} \ddot{y}^X_{jt} dj = 0
\]

3. Monetary policy leaks. Assume that the steady state value of gold reserves is negligible compared to that of production:

\[
\forall j \in J, \quad \frac{E_j G_j}{P_j Y_j} \to 0
\]

(a) Then, the monetary channel has the same effect on all countries, irrespective of whether they devalue:

\[
\forall (j, k) \in J^2, \quad \ddot{y}^M_{jt} = \ddot{y}^M_{kt}
\]
Moreover, the exchange rate channels pins down the relative effect:

$$\forall (j, k) \in J^2, \quad \dot{y}_t^j - \dot{y}_t^k = \dot{y}_t^j - \dot{y}_t^k$$

This proposition also applies to inflation, prices, wages and interest rates.

The first part of proposition 4 is an immediate consequence of linearity.

The second part can be explained by the fact that the exchange rate is a relative price. Under linearity, it only shifts output, consumption and prices around. Anybody’s increase is somebody else’s decrease. For instance, if a country exports more because it is more competitive, it must be that another country is suffering from that competition. Hence, the exchange rate channel is a wash in the aggregate. As a result, world variables are pinned down by what is left: the monetary channel. This is achieved through equation (21). The monetary expansion lowers the world nominal interest rate through money demand, which stimulates consumption and output.

The third part of proposition 4 is perhaps more surprising. It implies that the monetary channel affects all countries similarly, no matter their devaluation status. Indeed, absent any change in the exchange rate, there is no discrepancy in relative prices that pushes output and prices in different directions. Going back to equation (9) for instance, the expenditure switching term is not directly affected by the monetary expansion. At the same time, the nominal interest rate is the same in every country, since UIP holds and no devaluation is expected. It is unsettling that the nominal interest stays the same in all countries, even though some of them expand their money supply. The catch is: under the monetary channel, in equilibrium, devaluing countries do not expand the money supply relative to other countries, since gold immediately flows out to offset the relative increase in the value of their gold reserves. Thus, even countries that do not devalue expand their money supply, not because they revalue their gold reserves, but because they experience a gold inflow. Therefore, the monetary expansion pushes all countries in the same direction. For this to be exactly true, it must be that gold flows have no effect on the current account ($\bar{E}(G)/(PjYj) = 0$). Otherwise, they imply small wealth effects: when gold flows out of devaluing countries, they build up their bond portfolios and consume slightly more thanks to the interest rate proceeds. In practice, the value of gold reserves was modest compared to output (14% of quarterly GDP in Britain), and this is quantitatively negligible.
F.1.3 GE Decomposition in Practice

I show the quantitative results of the decomposition in figure A.13. For devaluing countries, both channels contribute in roughly equal proportions to the increase in output. In non devaluing countries, the exchange rate channel weighs heavily on output, but it is offset by a large stimulus from the monetary channel, so that the total effect is small. The strength of the exchange rate channel contrasts with the weakness of the expenditure switching term in panel A. Indeed, in general equilibrium, the exchange rate does not just affect relative marginal costs. It also affects the consumption terms through the real interest rate.

Studying the behavior of other variables sheds light on how each channel works. Figure A.14 shows the monetary and trade channels for each type of country. I start with the exchange rate channel on the right-hand side as it is more intuitive. The change in the exchange rate opens up a discrepancy between marginal costs adjusted for the exchange rate (row 1). Since nominal wages are sticky, marginal costs react slowly. Those need to go up in devaluing countries, down in non-devaluing ones. As they do, firms pass that increase/decrease to prices, which creates inflation/deflation (row 2). This lowers/raises the real interest rate (row 3), which stimulates/lowers consumption (row 4). Under the monetary channel (left-hand side), no such discrepancy exists in the first place. Still, there is an expansion in the money supply in the background. This expansion pushes prices up (row 2), lowers the real rate (row 3) and stimulates consumption (row 4). Since all countries have the same nominal interest rate, the effect is similar across countries.
Figure A.13: Decomposition of output’s response

Note: general equilibrium decomposition of the response of output described in section F.1.
Figure A.14: GE decomposition in details (DD)